

Probing Matter-Antimatter Asymmetry in the Universe using Muons from B Meson Decays at D0

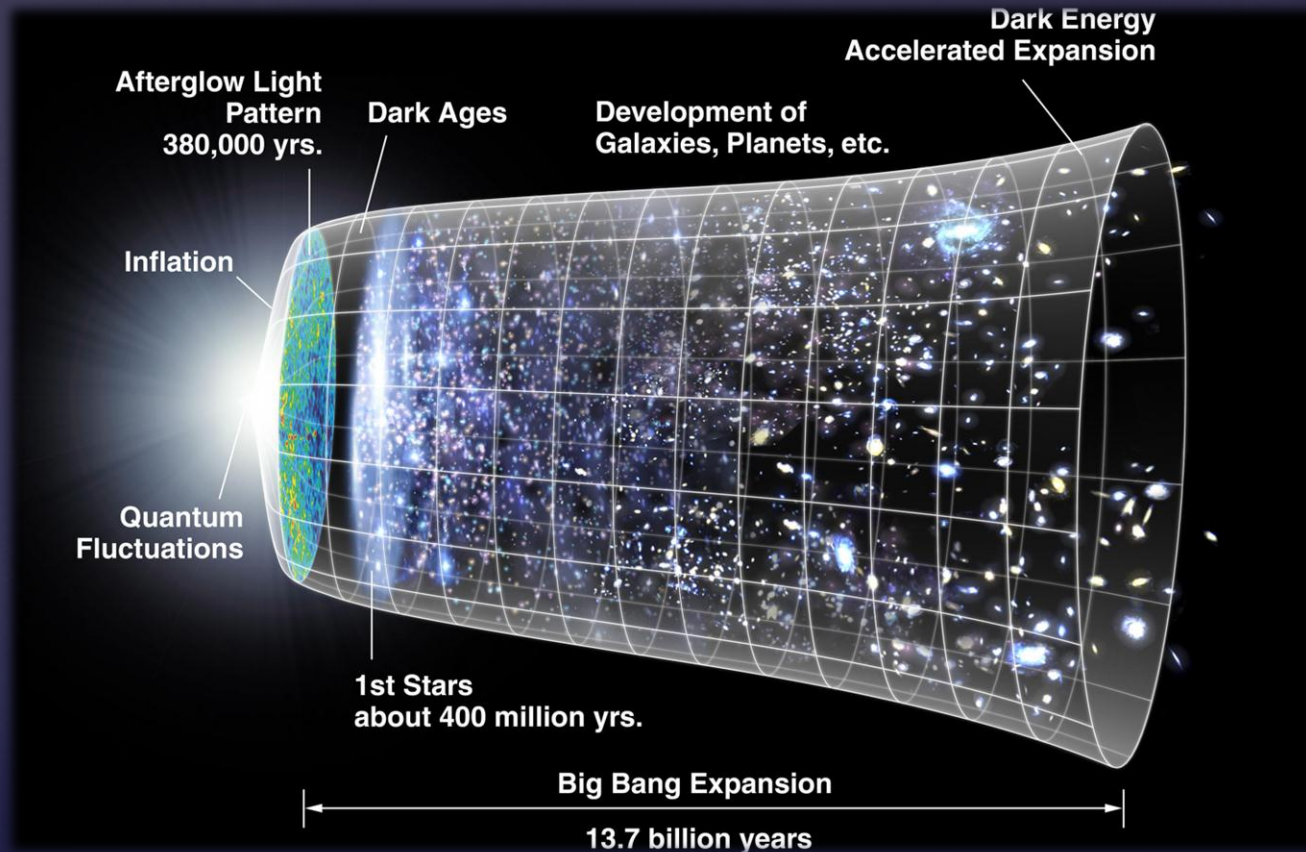
Fermilab Joint Theoretical-Experimental Seminar
19th October 2012



Mark Williams
On behalf of the D0 Collaboration

Matter Dominance in the Universe

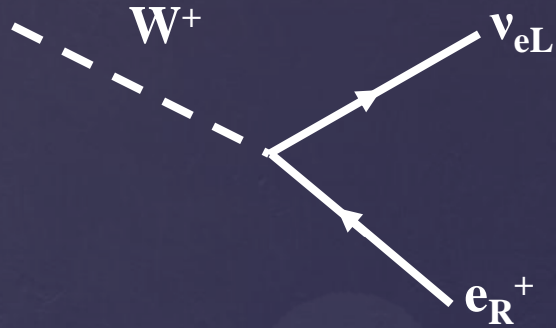
Matter-antimatter symmetric big bang $\xrightarrow[\text{baryogenesis}]{?}$ Matter dominated Universe



To generate asymmetry, need three conditions (*Sakharov*):

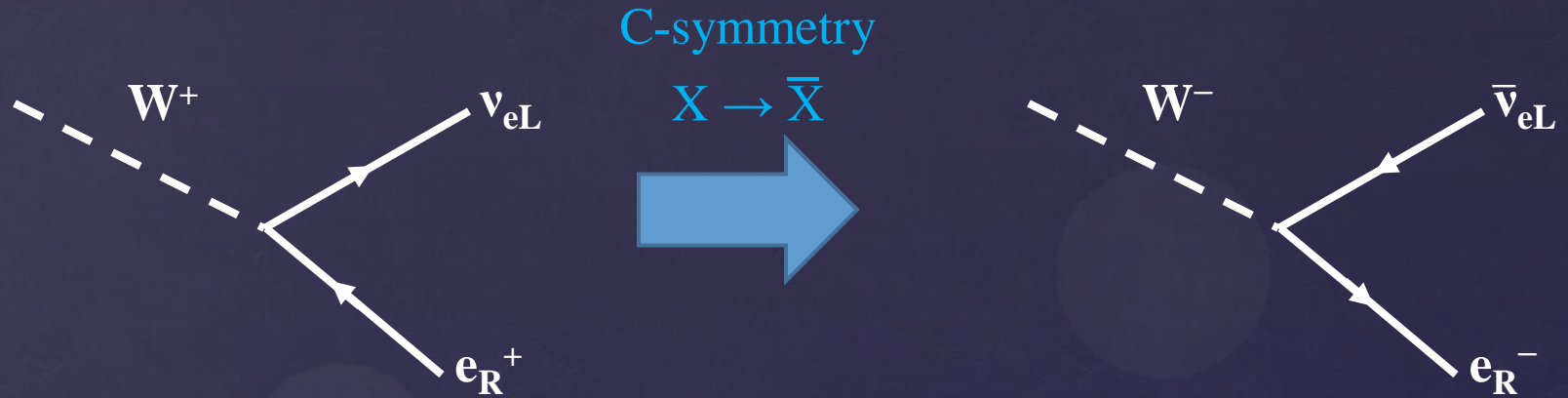
- Baryon number violation
- **C and CP symmetry violation**
- Interactions out of thermal equilibrium

C, P, and CP Symmetries

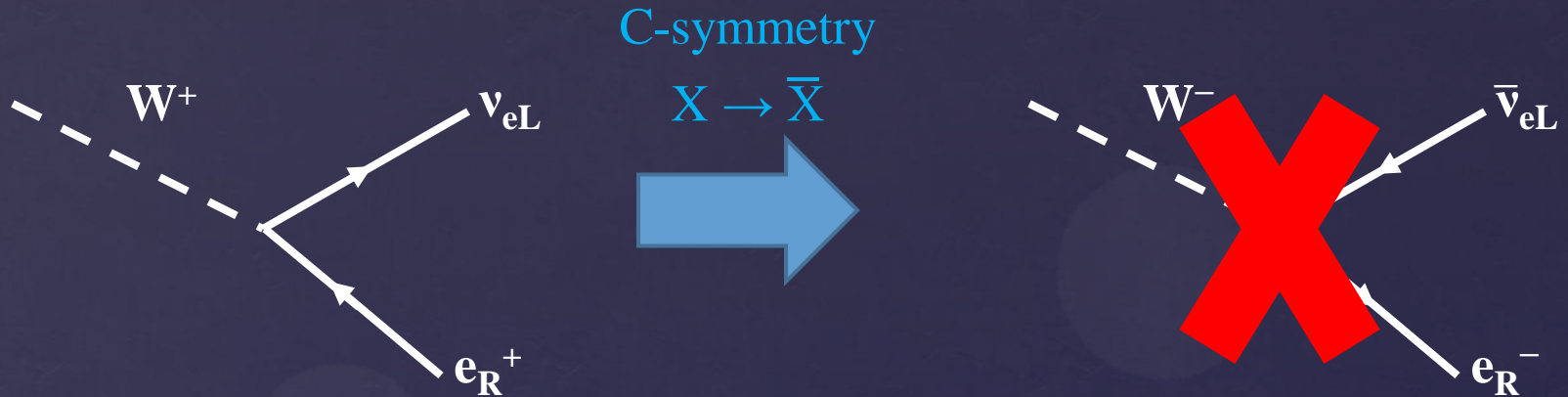


Charged weak interaction **maximally**
violates C and P symmetries

C, P, and CP Symmetries



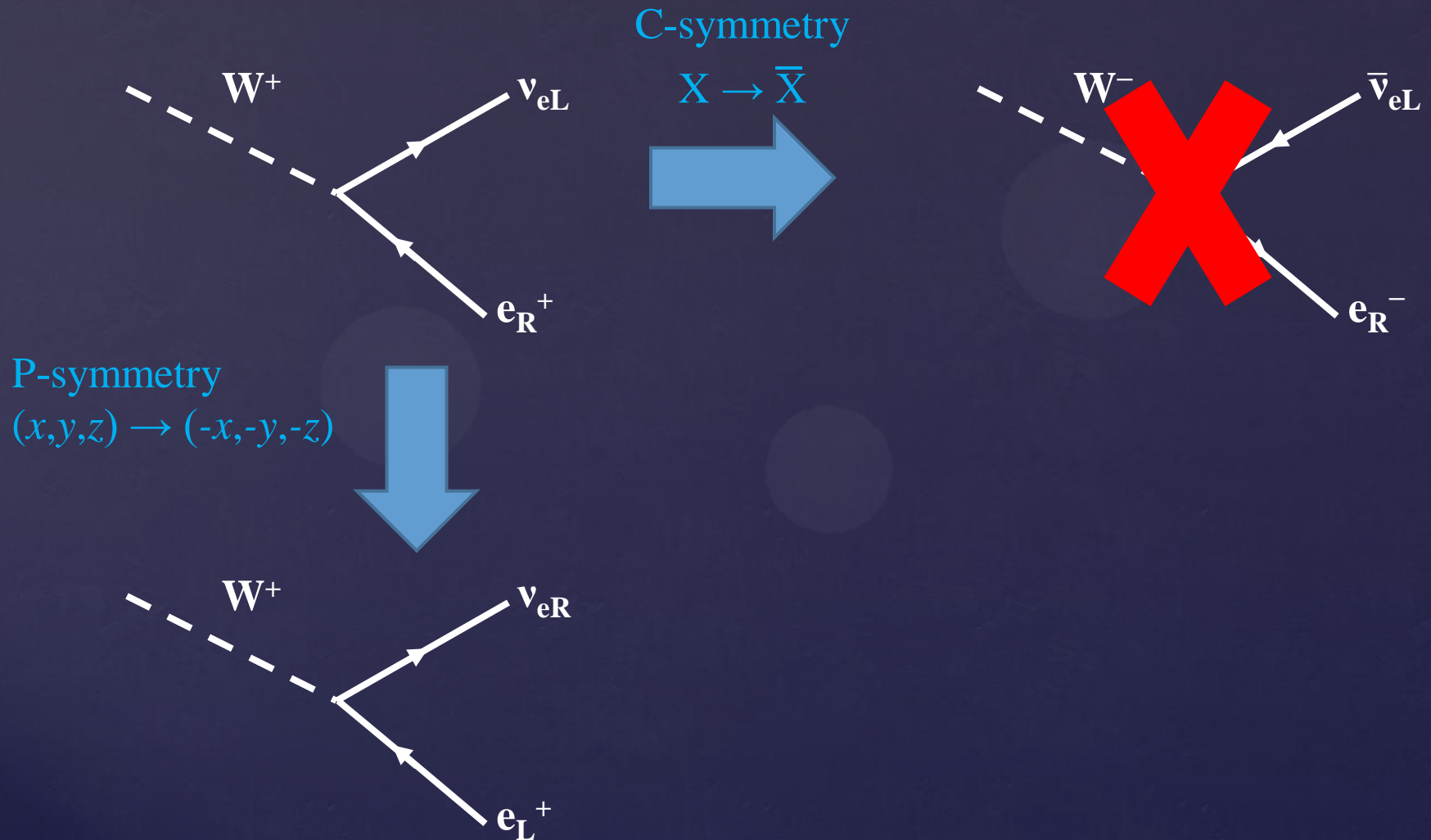
C, P, and CP Symmetries



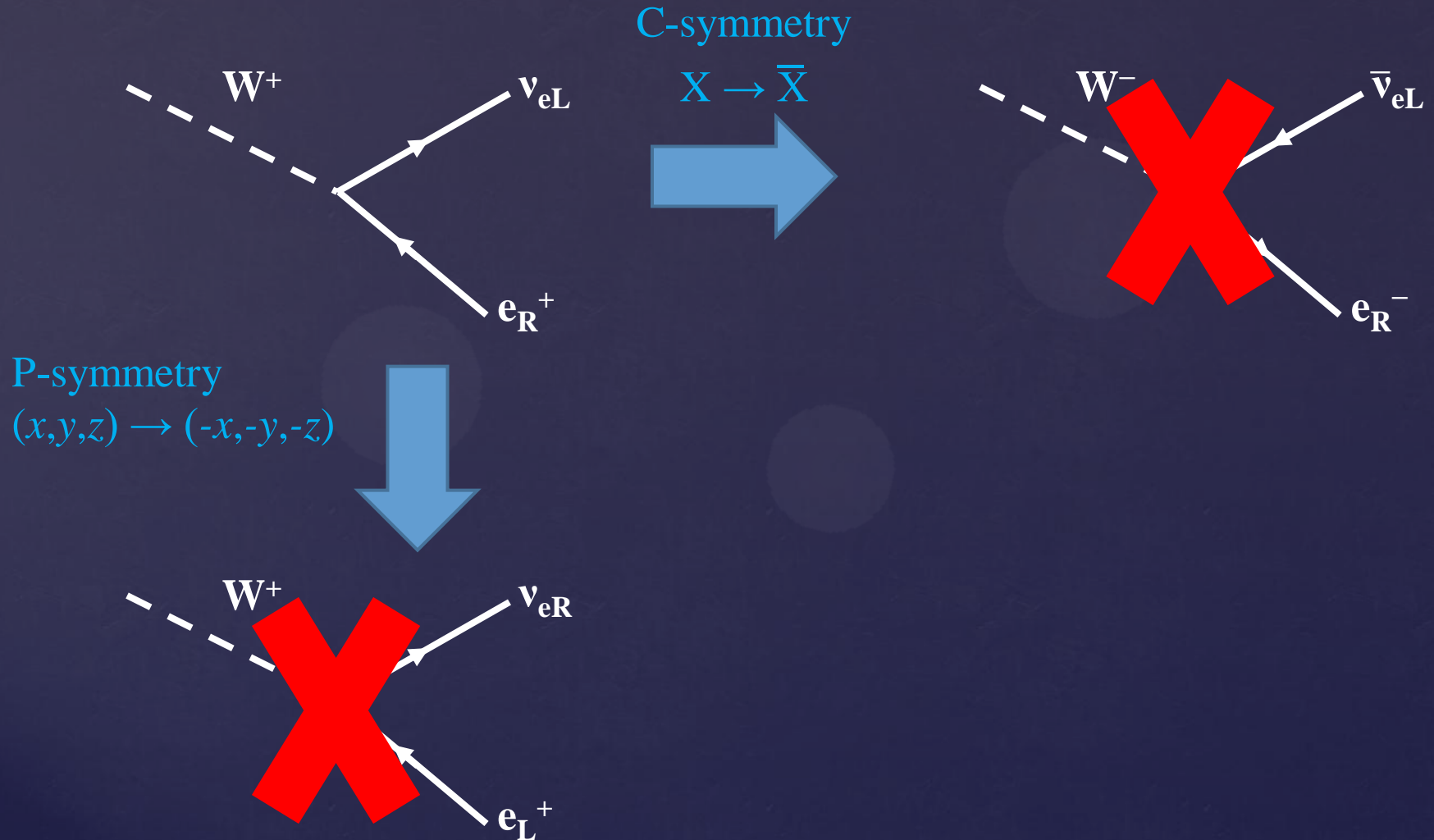
W^\pm bosons only couple to *left-handed* particles and *right-handed* antiparticles

C-violation necessary for baryogenesis, otherwise equal numbers of baryons and antibaryons would be produced

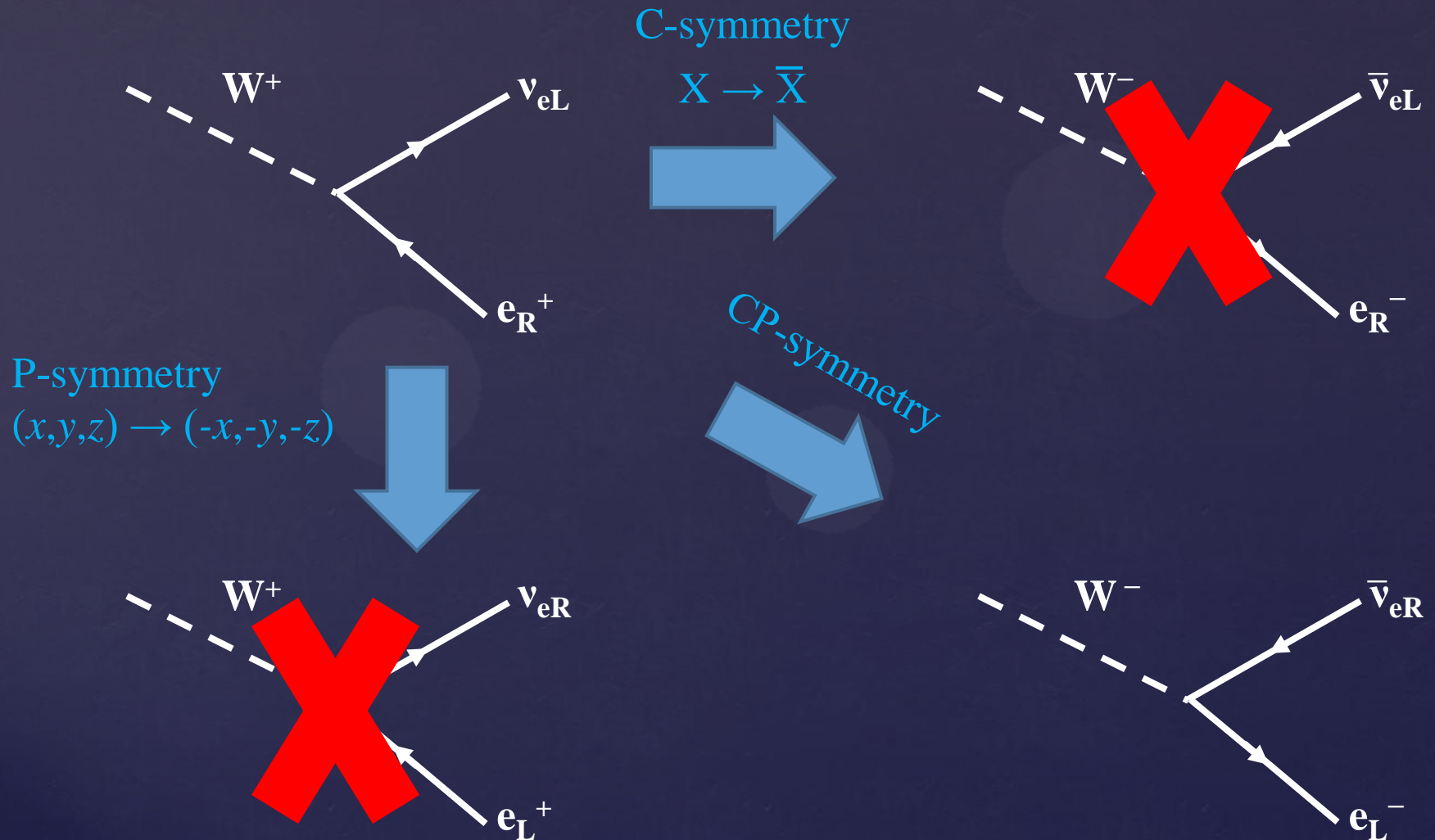
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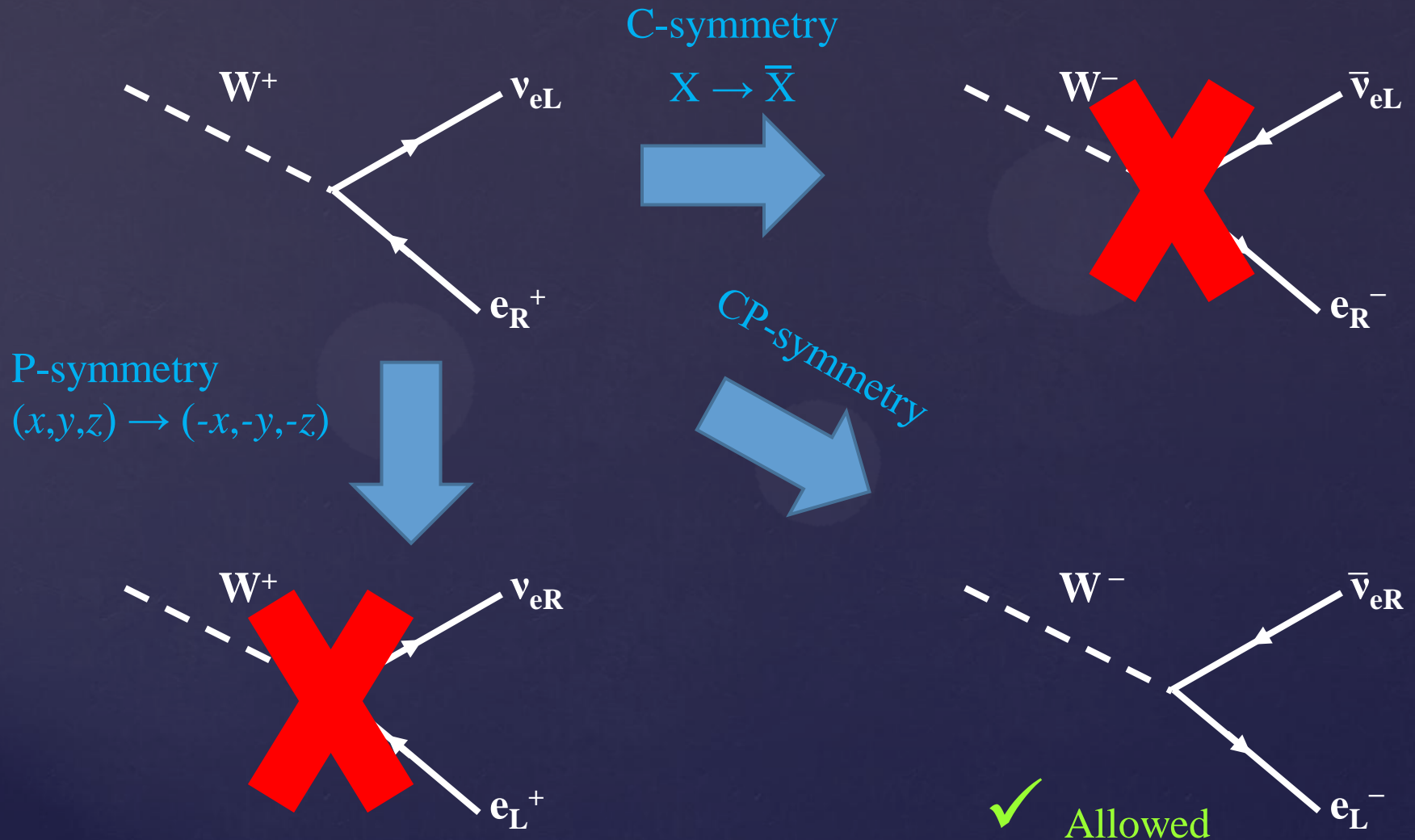
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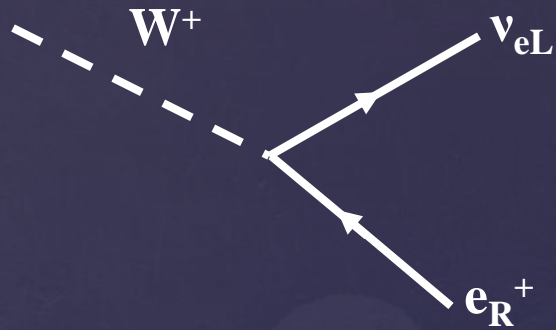
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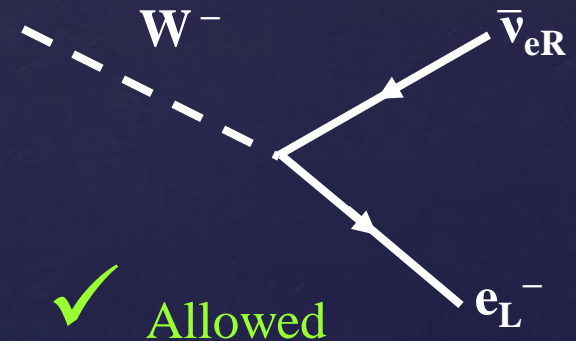
C, P, and CP Symmetries



C, P, and CP Symmetries

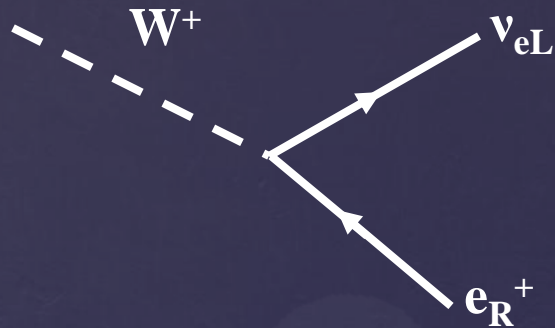


CP violation is a necessary condition of baryogenesis: otherwise equal numbers of left-handed baryons and right-handed antibaryons would be produced.



✓ Allowed

C, P, and CP Symmetries



CP violation is a necessary condition of baryogenesis: otherwise equal numbers of left-handed baryons and right-handed antibaryons would be produced.

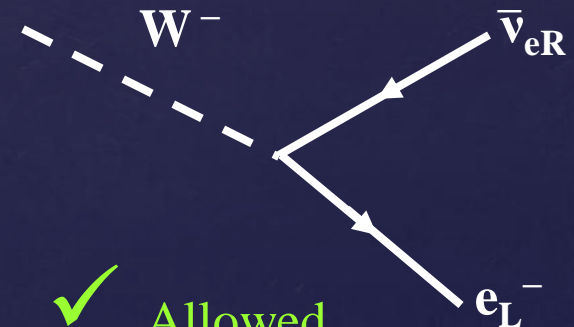
CP-symmetry



CP violation first observed in neutral kaons (1964):

$$\Gamma(K_L^0 \rightarrow \pi^- e^+ \bar{\nu}_e) > \Gamma(K_L^0 \rightarrow \pi^+ e^- \nu_e)$$

Allows matter and antimatter to be distinguished



Allowed

CPV in the Standard Model

CKM Quark mixing matrix: 3 mixing angles
and one *complex phase* δ

Nonzero complex phase \leftrightarrow CP violation

$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \overset{V_{\text{CKM}}}{\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

$$V_{\text{CKM}} = \begin{pmatrix} c_{12}c_{13} & s_{12}c_{13} & s_{13}e^{-i\delta} \\ -s_{12}c_{23}-c_{12}s_{23}s_{13}e^{i\delta} & c_{12}c_{23}-s_{12}s_{23}s_{13}e^{i\delta} & s_{23}c_{13} \\ s_{12}s_{23}-c_{12}c_{23}s_{13}e^{i\delta} & -c_{12}s_{23}-s_{12}c_{23}s_{13}e^{i\delta} & c_{23}c_{13} \end{pmatrix}$$

CP transformation: $i \rightarrow -i$

Complex matrix elements different for particle and antiparticle interactions

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CPV impossible in 2x2 matrix \Rightarrow observation of CPV in quark sector motivated three generation model (1973) four years before discovery of b quark at Fermilab (1977)

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CPV impossible in 2x2 matrix \Rightarrow observation of CPV in quark sector motivated three generation model (1973) four years before discovery of b quark at Fermilab (1977)

Level of CPV in the SM **far too small** to account for matter-antimatter asymmetry

Vital to test CKM matrix and search for new sources of CPV

Types of CP Violation

Three categories of CP violation:

1) **Direct** $\Gamma(A \rightarrow f) \neq \Gamma(\bar{A} \rightarrow \bar{f})$

Quantified by asymmetries in decay branching ratios, e.g.

$$A_{D^0 K^\pm} \equiv \frac{\Gamma(B^- \rightarrow D^0 K^-) - \Gamma(B^+ \rightarrow D^0 K^+)}{\Gamma(B^- \rightarrow D^0 K^-) + \Gamma(B^+ \rightarrow D^0 K^+)} = +0.19 \pm 0.03 \quad (>5\sigma)$$

Types of CP Violation

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1) **Direct** $\Gamma(A \rightarrow f) \neq \Gamma(\bar{A} \rightarrow \bar{f})$

2) **In mixing** $\Gamma(A \rightarrow \bar{A}) \neq \Gamma(\bar{A} \rightarrow A)$

Quantified by asymmetries in mixing of neutral K, D, B mesons, e.g.

$$a_{\text{sl}}^{\text{d}} \equiv \frac{\Gamma(\bar{B}^0 \rightarrow B^0 \rightarrow \ell^+ X) - \Gamma(B^0 \rightarrow \bar{B}^0 \rightarrow \ell^- X)}{\Gamma(\bar{B}^0 \rightarrow B^0 \rightarrow \ell^+ X) + \Gamma(B^0 \rightarrow \bar{B}^0 \rightarrow \ell^- X)}$$

Today's topic

Not yet
observed in B,
D mesons

Types of CP Violation

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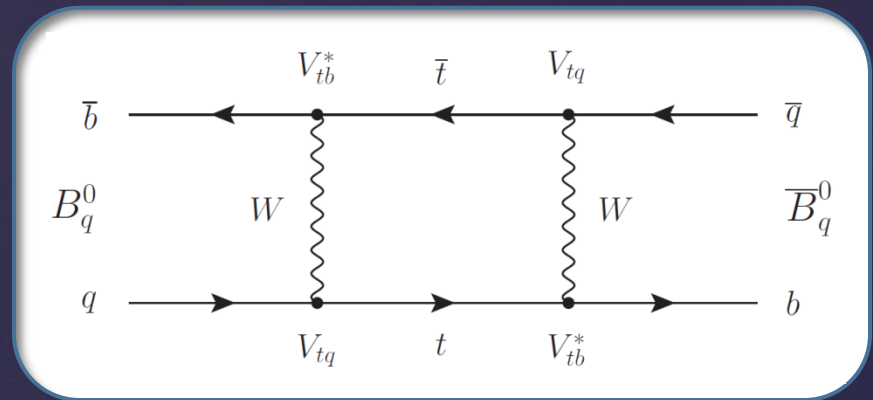
- 1) **Direct** $\Gamma(A \rightarrow f) \neq \Gamma(\bar{A} \rightarrow \bar{f})$
- 2) **In mixing** $\Gamma(A \rightarrow \bar{A}) \neq \Gamma(\bar{A} \rightarrow A)$
- 3) **In interference between mixing and decay**

Quantified by asymmetries in decays of neutral mesons, where *same final state* is allowed for direct and mixed decays, e.g.

$$A_{\phi K^0}(t) \equiv \frac{d\Gamma/dt(\bar{B}^0 \rightarrow \phi K^0) - d\Gamma/dt(B^0 \rightarrow \phi K^0)}{d\Gamma/dt(\bar{B}^0 \rightarrow \phi K^0) + d\Gamma/dt(B^0 \rightarrow \phi K^0)}$$

B Meson Oscillations and CPV

Neutral B mesons oscillate into their antiparticles via weak interactions:



Time-evolution governed by Schrödinger equation:

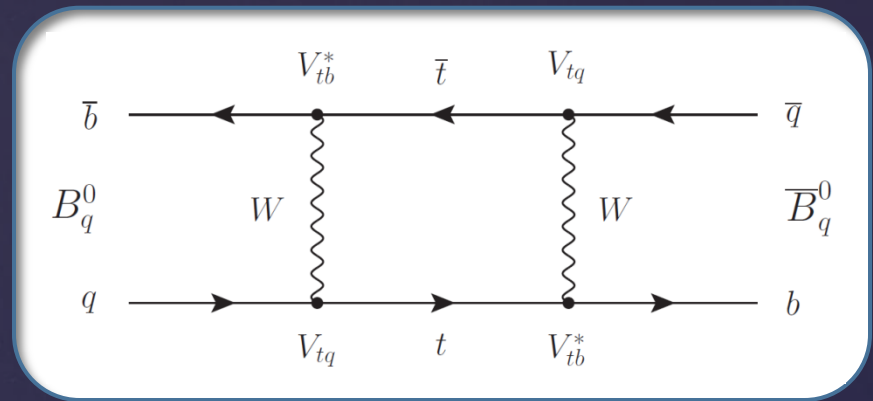
$$i \frac{d}{dt} \begin{pmatrix} |B_q(t)\rangle \\ |\bar{B}_q(t)\rangle \end{pmatrix} = \left(M^q - \frac{i}{2} \Gamma^q \right) \begin{pmatrix} |B_q(t)\rangle \\ |\bar{B}_q(t)\rangle \end{pmatrix}$$

Heavy (B_{qH}) and light (B_{qL}) mass eigenstates are superpositions of flavor eigenstates...

... Obtained by diagonalising this matrix

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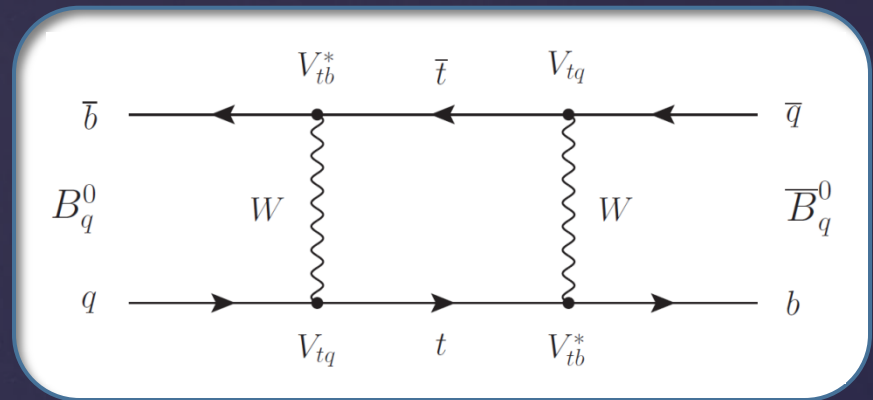


System parameterized by:

<i>Mixing frequency</i>	$\Delta M_q = M(B_{qH}) - M(B_{qL})$	$(= 2 M_{12}^q)$
<i>Lifetime difference</i>	$\Delta \Gamma_q = \Gamma(B_{qL}) - \Gamma(B_{qH})$	$(= 2 \Gamma_{12}^q \cos \phi_q)$
<i>Complex mixing phase</i>	$\phi_q = \arg(-M_{12}^q/\Gamma_{12}^q)$	

B Meson Oscillations and CPV

Neutral B mesons oscillate into their antiparticles via weak interactions:



Oscillations very well-established in both B^0 and B_s^0 systems:

$$\Delta M_d = 0.507 \pm 0.004 \text{ ps}^{-1}$$

‘slow’ mixing: probability of oscillation prior to decay depends strongly on decay time

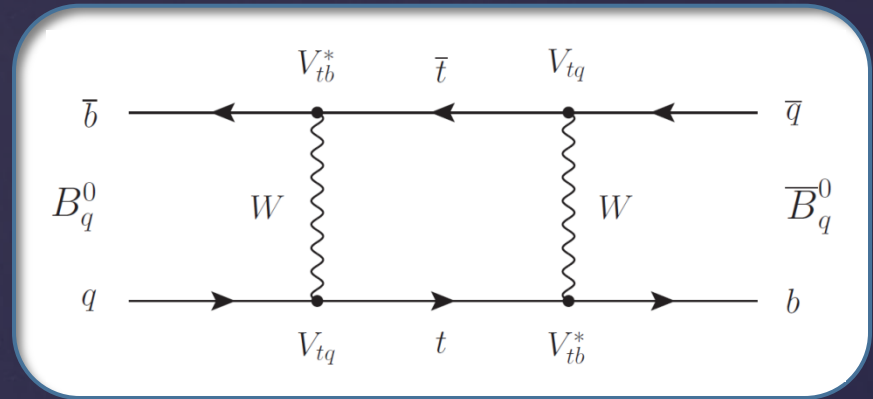
$$\Delta M_s = 17.69 \pm 0.08 \text{ ps}^{-1}$$

‘fast’ mixing: experimentally, $\sim 50\%$
oscillation probability \sim regardless of decay time

B_s^0 mixing
discovered at
Tevatron, 2006

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Complex phase in CKM matrix $\Rightarrow \mathbf{P[B_{(s)}^0 \rightarrow \bar{B}_{(s)}^0]} \stackrel{?}{\neq} \mathbf{P[\bar{B}_{(s)}^0 \rightarrow B_{(s)}^0]}$

Studies of asymmetries in mixing are a sensitive probe of CPV.

B Meson Oscillations and CPV

Define semileptonic mixing asymmetry:

$$a_{sl}^q = \frac{\Delta\Gamma_q}{\Delta M_q} \cdot \tan(\phi_q) = \frac{\Gamma(\bar{B}_q^0 \rightarrow B_q^0 \rightarrow \ell^+ X) - \Gamma(B_q^0 \rightarrow \bar{B}_q^0 \rightarrow \ell^- X)}{\Gamma(\bar{B}_q^0 \rightarrow B_q^0 \rightarrow \ell^+ X) + \Gamma(B_q^0 \rightarrow \bar{B}_q^0 \rightarrow \ell^- X)}$$

SM values for both B^0 and B_s^0 are negligible compared to experimental precision:

$$\mathbf{a_{sl}^d = (-0.041 \pm 0.006)\%}$$

$$\mathbf{a_{sl}^s = (-0.0019 \pm 0.0003)\%}$$

$$\mathbf{a_{sl}^d = (-0.05 \pm 0.56)\%}$$

$$\mathbf{a_{sl}^s = (-0.17 \pm 0.92)\%}$$

} SM Predictions

Current WA value from B Factories

Previous D0 measurement

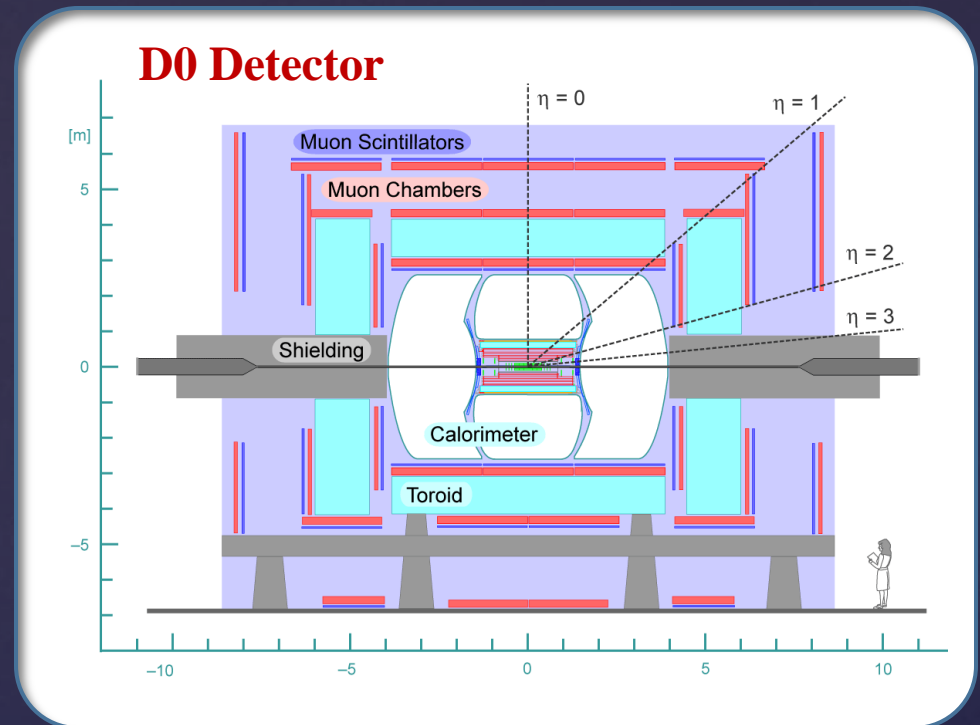
Any significant deviation from zero is hence a signal of new physics.

Muons @ D0

Semileptonic decays provide charged lepton 'tag' of B meson flavor at decay time

Experimentally, muons have advantages over electrons at these energies (<20 GeV)

- Easy to identify \Rightarrow efficient and clean signature for triggers and event selection
- Low 'fake rate' : hadronic punchthrough can be suppressed by heavy shielding before muon system
- D0 muon system has wide acceptance ($|\eta(\mu)| \leq 2$), with 3 layers of tracking and scintillation detectors



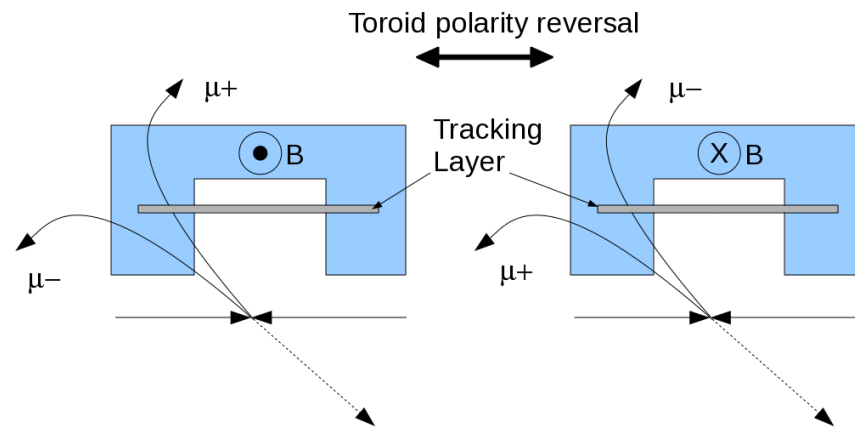
**~12-15 interaction lengths
before outer muon system**

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Regular reversal of solenoid (tracking) and toroid (muon) magnets cancels detector asymmetries to first order

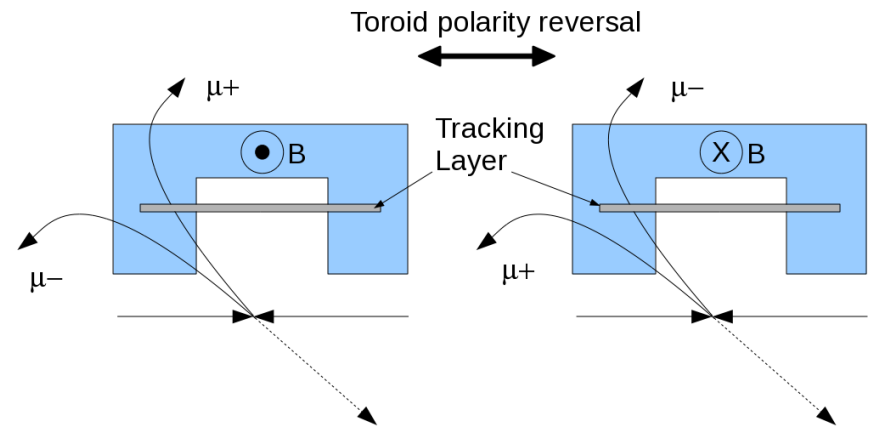
Typical tracking detectors have charge asymmetries of 1-3% (range-out, lorentz angle)

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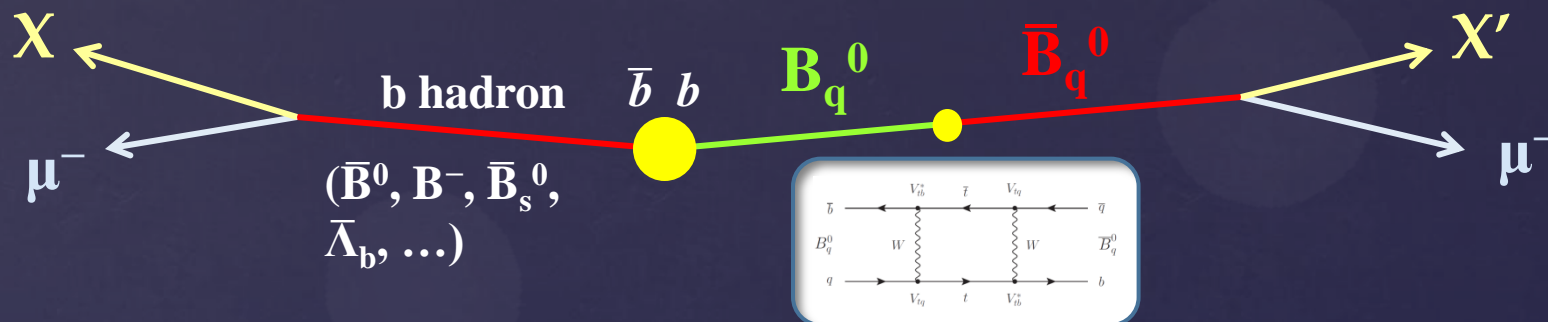
Proton-antiproton collisions
@ $\sqrt{s} = 1.96$ TeV

**No production asymmetries:
symmetric initial state**

Compare LHC: must measure production asymmetries

Same-sign Dimuon Asymmetry

Events with two muons of identical charge have large fraction (~30%) from decays of mixed $B_{(s)}^0$ mesons



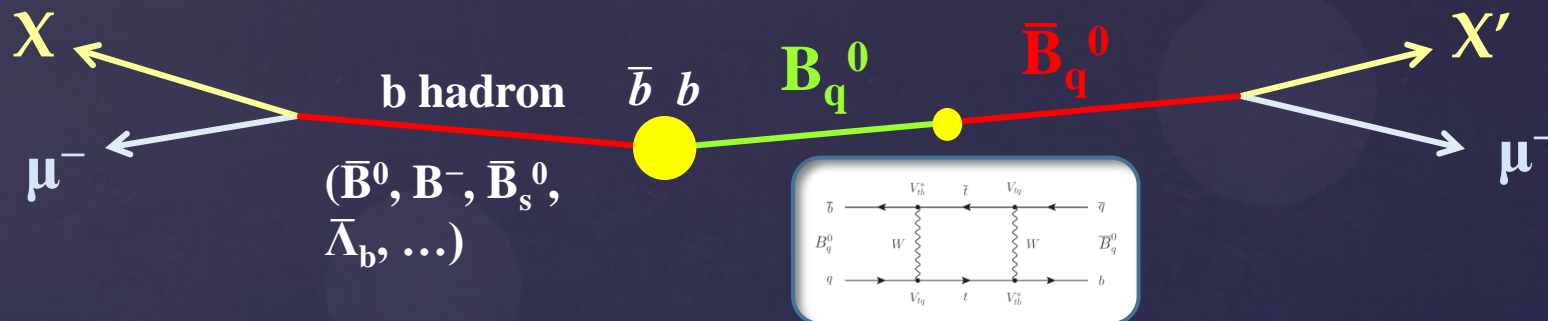
Measure raw asymmetry $A = \frac{N(\mu^+\mu^+) - N(\mu^-\mu^-)}{N(\mu^+\mu^+) + N(\mu^-\mu^-)}$

Relate to 'physical' asymmetry $A_{sl}^b = \frac{\Gamma(\bar{b} \rightarrow \mu^+) - \Gamma(b \rightarrow \mu^-)}{\Gamma(\bar{b} \rightarrow \mu^+) + \Gamma(b \rightarrow \mu^-)}$

Contributions from both B^0 and B_s^0 mesons

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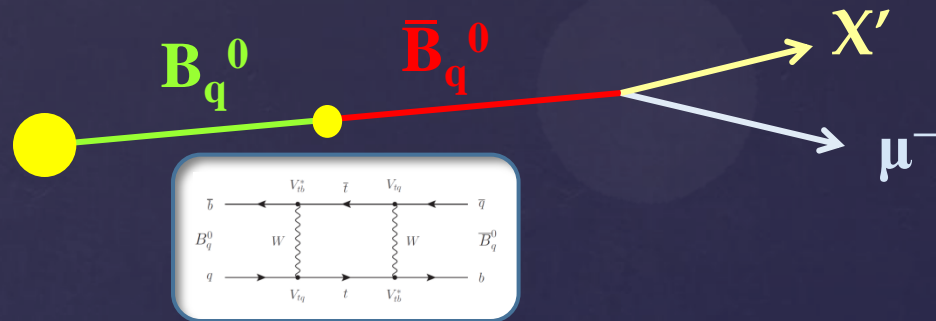
Contributions from both B^0 and B_s^0 mesons

Challenge is understanding contributions from other ~70% of dimuon events

Revisiting Dimuon Asymmetry

First consider single muon asymmetry instead...

Only ~3% of muons from decays of mixed $B_{(s)}^0$ mesons



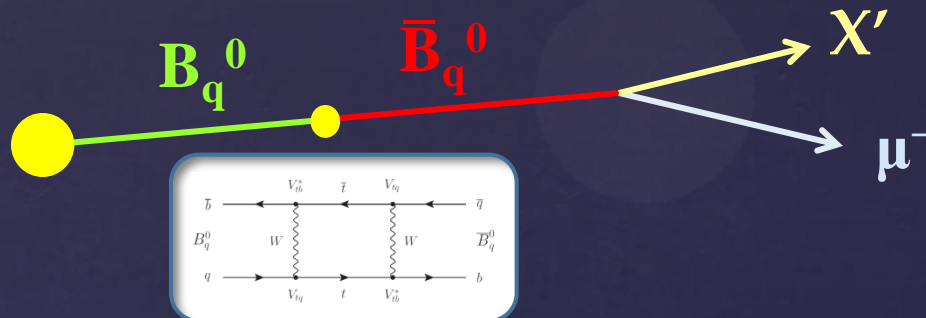
Measure raw asymmetry $a = \frac{N(\mu^+) - N(\mu^-)}{N(\mu^+) + N(\mu^-)}$

Dominated by backgrounds – *provides essential constraints on these background asymmetries* for the dimuon case.

Revisiting Dimuon Asymmetry

First consider single muon asymmetry instead...

Only ~3% of muons from decays of mixed $B_{(s)}^0$ mesons



$$a = \frac{N(\mu^+) - N(\mu^-)}{N(\mu^+) + N(\mu^-)} = f_{\text{mix}} A_{\text{sl}}^b + a_{\text{BG}}$$

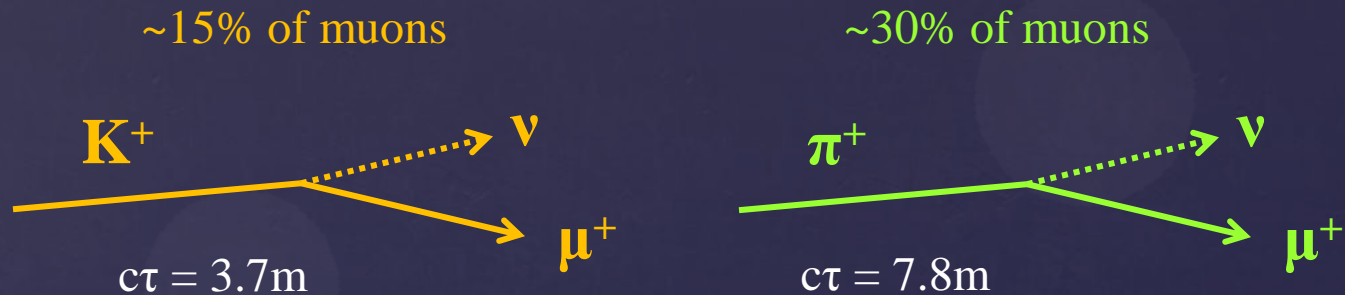
Raw asymmetry
(event counting)

Asymmetry from
heavy-flavor decays
(diluted by $f_{\text{mix}} \approx 0.03$)

Asymmetries from
backgrounds and
detector effects...

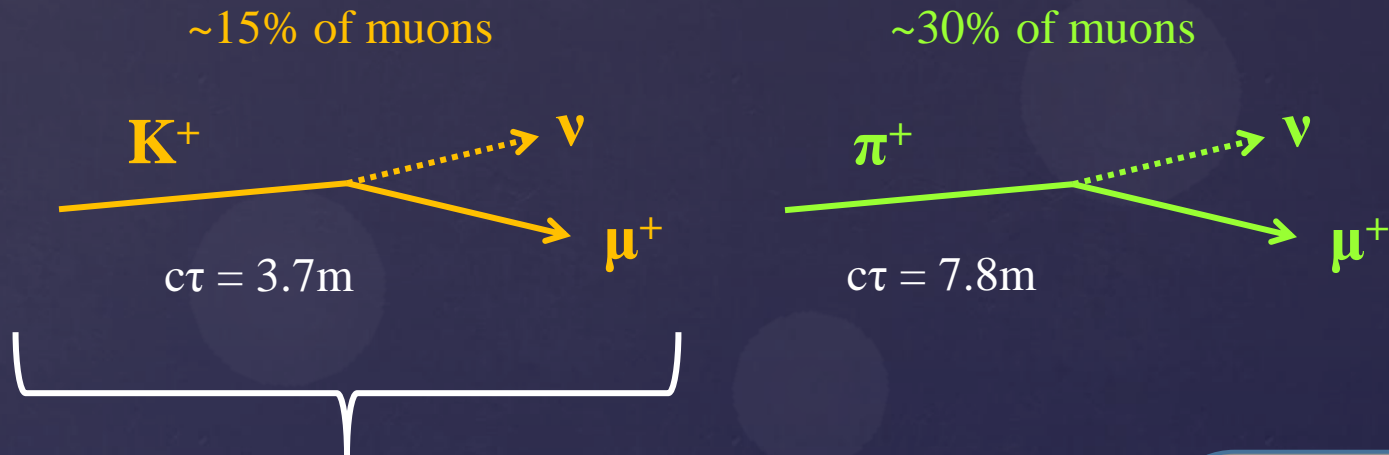
Revisiting Dimuon Asymmetry

Main background asymmetries: Kaon and pion decay-in-flight to muons (DIF)



Revisiting Dimuon Asymmetry

Main background asymmetries: Kaon and pion decay-in-flight to muons (DIF)



Positive kaons have smaller interaction cross-section than negative kaons in matter

K^+ more likely to survive to decay into muons

$$N(K^+ \rightarrow \mu^+) > N(K^- \rightarrow \mu^-)$$

$$K^- N \rightarrow Y \pi$$

$$K^+ N \rightarrow \text{X}$$

$$@ p(K) = 1 \text{ GeV}$$

$$\sigma(K^- d) \approx 80 \text{ mb}$$

$$\sigma(K^+ d) \approx 33 \text{ mb}$$

Revisiting Dimuon Asymmetry

In single muon case, expect $\mathbf{a} \approx \mathbf{a}_{\text{BG}}$
if background asymmetries are determined correctly

Asymmetries from backgrounds and detector effects:

- Three fractions
- Four asymmetries

Each computed independently in bins of $p_T(\mu)$, $|\eta(\mu)|$

Use independent and separate channels

$$\mathbf{a}_{\text{BG}} = \underbrace{f_{\text{K}} \mathbf{a}_{\text{K}}}_{\text{Kaon DIF and punch-through}} + \underbrace{f_{\pi} \mathbf{a}_{\pi}}_{\text{Pion DIF and punch-through}} + \underbrace{f_{\text{p}} \mathbf{a}_{\text{p}}}_{\text{...proton punch-through}} + \underbrace{(1 - f_{\text{K}} - f_{\pi} - f_{\text{p}}) \delta}_{\text{Residual muon reconstruction asymmetries}}$$

fraction (points to $f_{\text{K}}, f_{\pi}, f_{\text{p}}$) *Charge asymmetry* (points to $\mathbf{a}_{\text{K}}, \mathbf{a}_{\pi}, \mathbf{a}_{\text{p}}$)

Revisiting Dimuon Asymmetry

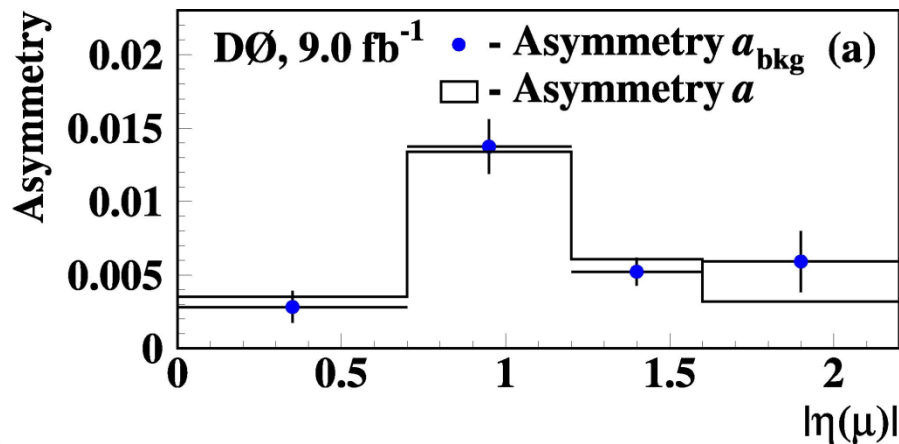
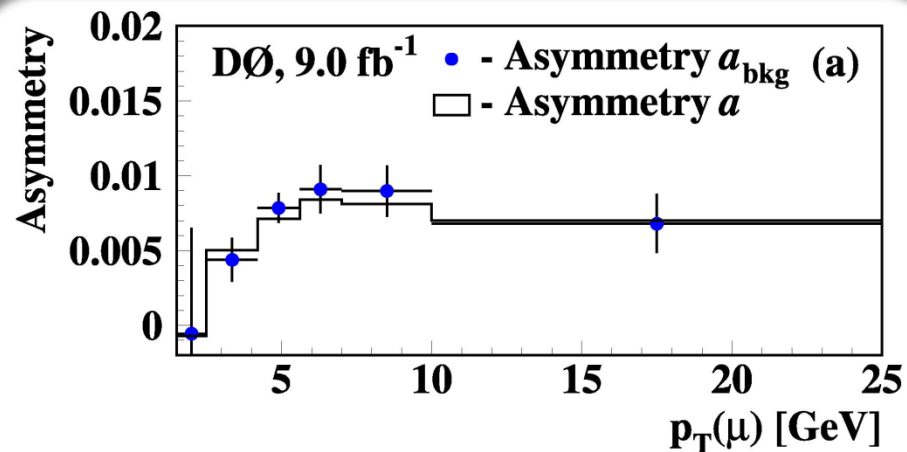
Observed single muon asymmetry agrees with expectations from

- Hadronic decay in flight
- Punchthrough
- Residual muon reconstruction asymmetry

Agreement versus $p_T(\mu)$ and $|\eta(\mu)|$

Compelling closure test demonstrating excellent understanding of background asymmetries

>50% of sample is from heavy flavor (non-oscillated) decays, and no indication of anomalous asymmetry



Revisiting Dimuon Asymmetry

Now require second, *same-charge muon* in event...

$$A = \frac{N(\mu^+\mu^+) - N(\mu^-\mu^-)}{N(\mu^+\mu^+) + N(\mu^-\mu^-)}$$

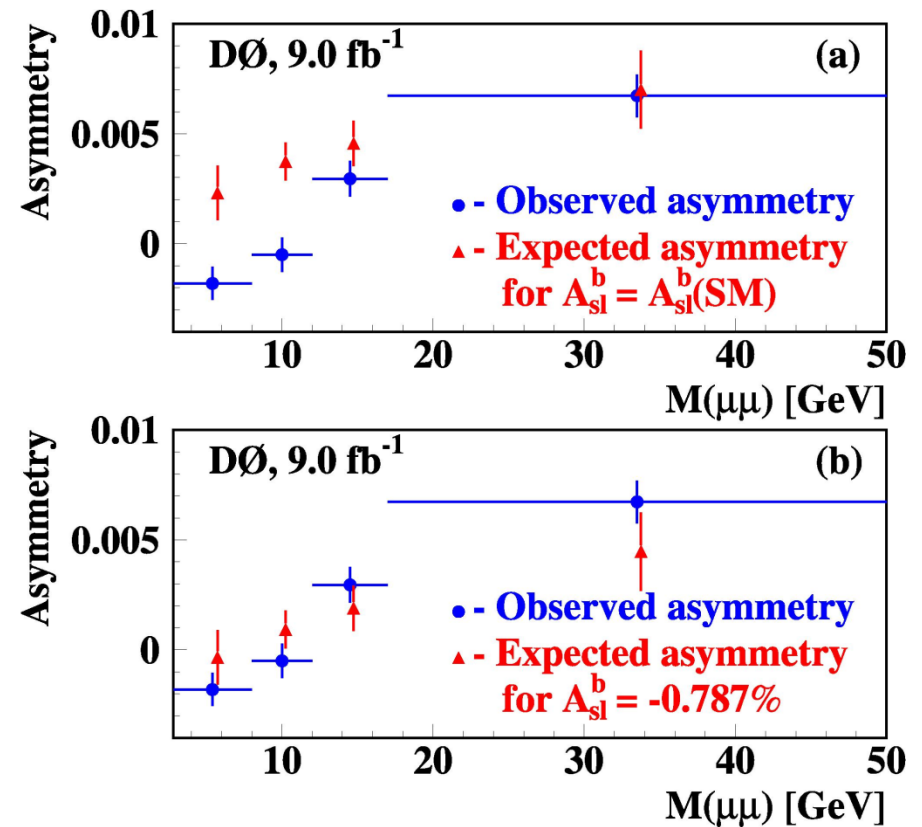
Observed asymmetry significantly different from expected background asymmetry,

$$A - A_{BG} = (-0.246 \pm 0.052 \pm 0.021) \%$$

$$SM: (-0.009 \pm 0.002)\%$$

4.2 σ from standard model prediction.

Model-independent.



Revisiting Dimuon Asymmetry

Interpretation

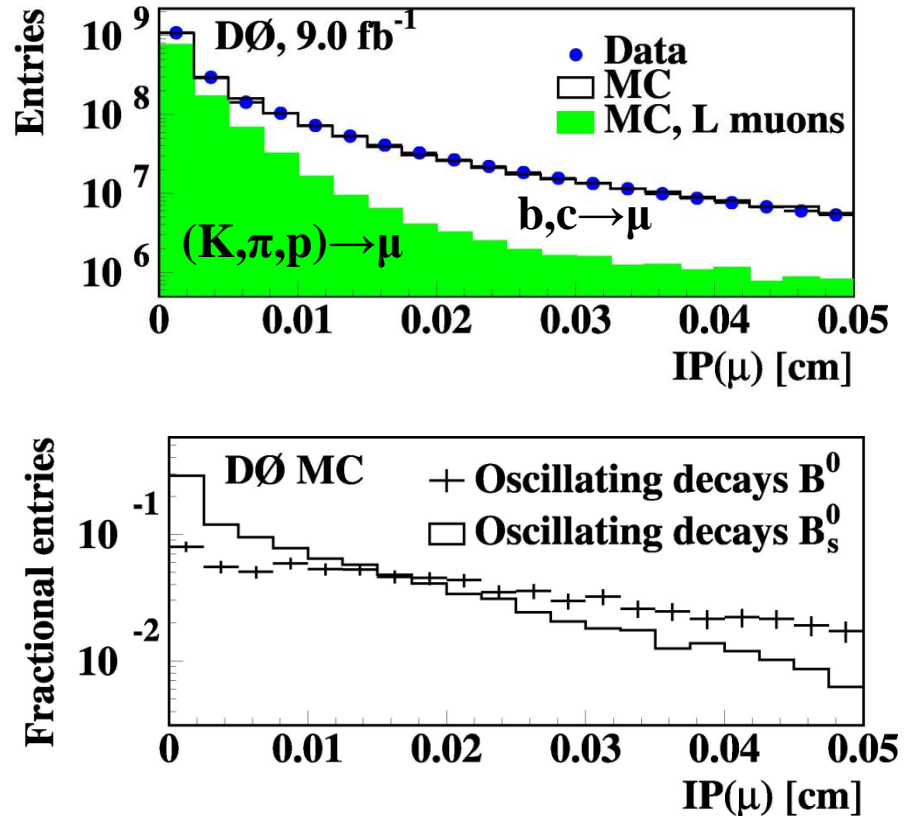
~30% of dimuon candidates in sample include one muon from **semileptonic decay of neutral B meson after oscillation**.

Enhanced oscillated meson fraction, and significant asymmetry, implies that the origin is **CPV in B mixing**.

$$A_{sl}^b = (-0.787 \pm 0.172 \pm 0.093)\%$$

3.9 σ from SM prediction

(uncertainty on oscillated B fraction lowers significance slightly)



Revisiting Dimuon Asymmetry

Interpretation

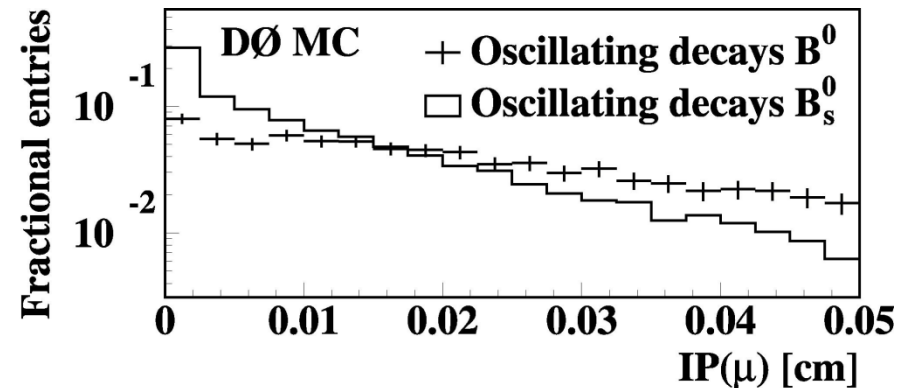
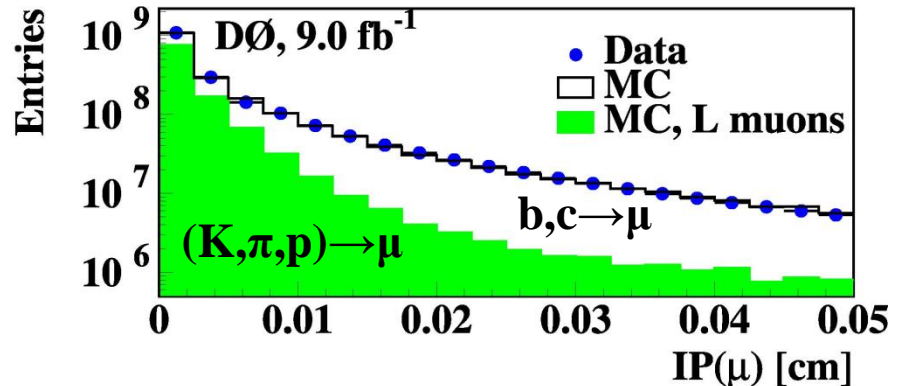
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Heavy flavor fraction, and oscillated B⁰/B_s⁰ fractions, are strong functions of impact parameter (IP)

Revisiting Dimuon Asymmetry

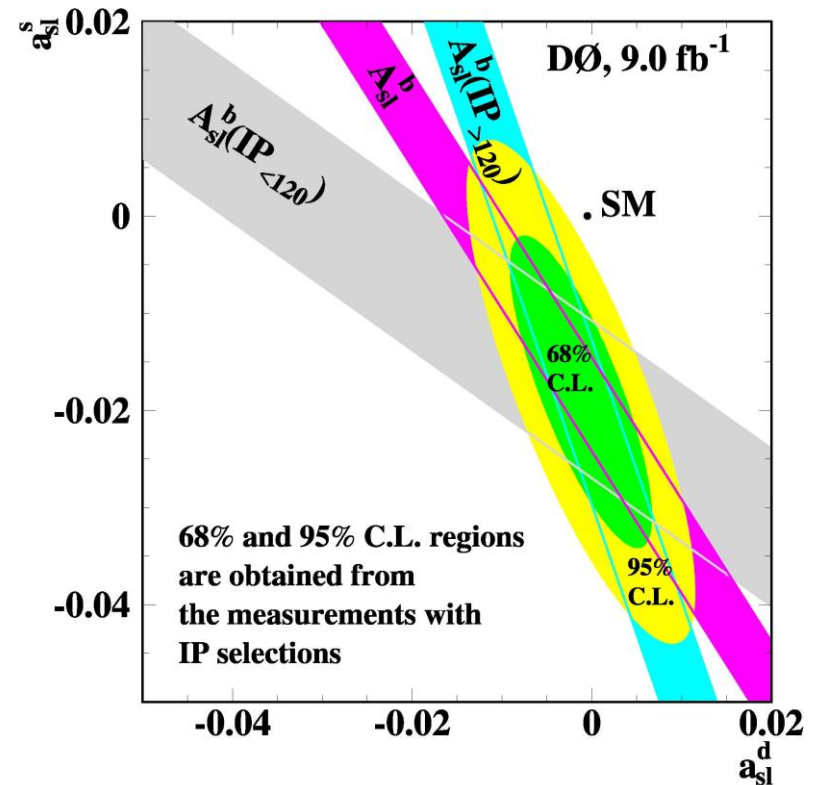
In this interpretation, dimuon asymmetry can include contributions from both B^0 and B_s^0 mesons:

$$A_{sl}^b = C_d a_{sl}^d + C_s a_{sl}^s$$

Divide sample according to IP, to generate overlapping constraints and allow separate determination of a_{sl}^d , a_{sl}^s

$$a_{sl}^d = (-0.12 \pm 0.52)\%$$

$$a_{sl}^s = (-1.81 \pm 1.06)\%$$



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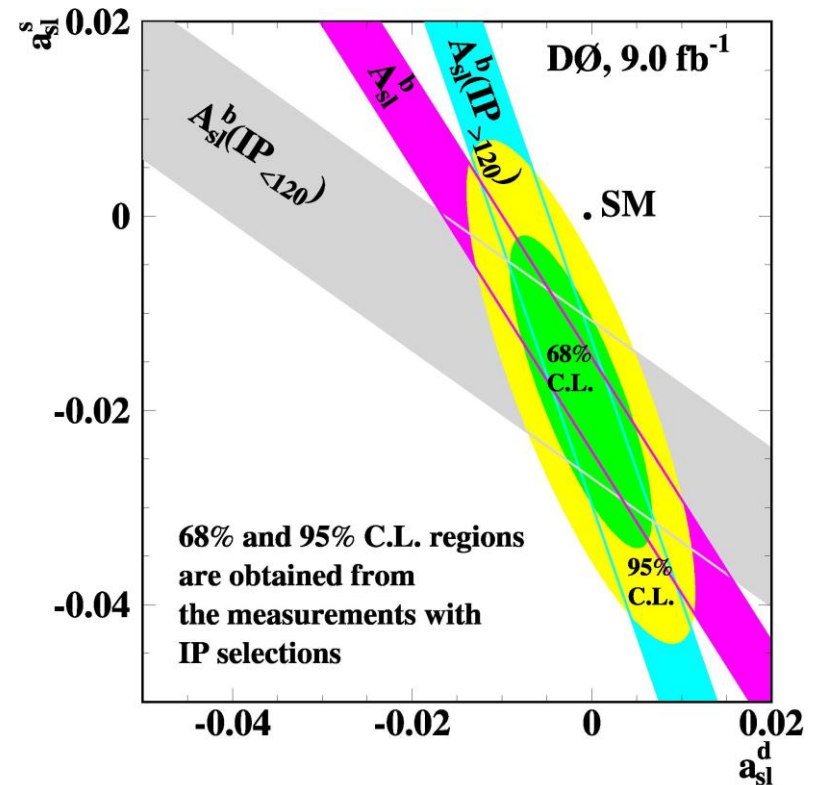
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Need further measurements of specific asymmetries in B^0 and B_s^0 meson mixing and decay

Direct Measurements of a_{sl}^q

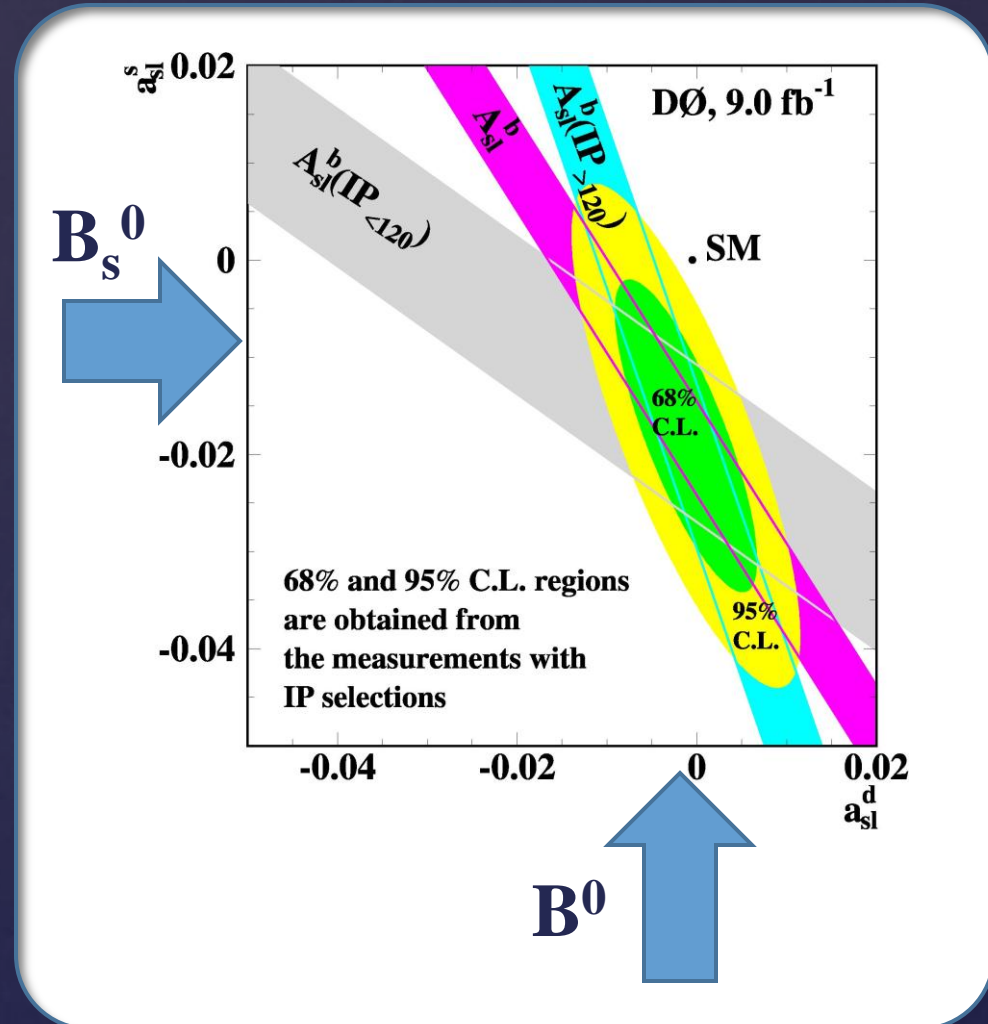
Reconstruct specific decay channels of $B_{(s)}^0$ mesons

Use high statistics samples of semileptonic $\mu D_{(s)}^{(*)\pm}$ decays

Enables simplified extraction of background asymmetries

No 'flavor-tagging' at production – instead rely on existing understanding of oscillation parameters

Aim to over-constrain the (a_{sl}^d, a_{sl}^s) plane



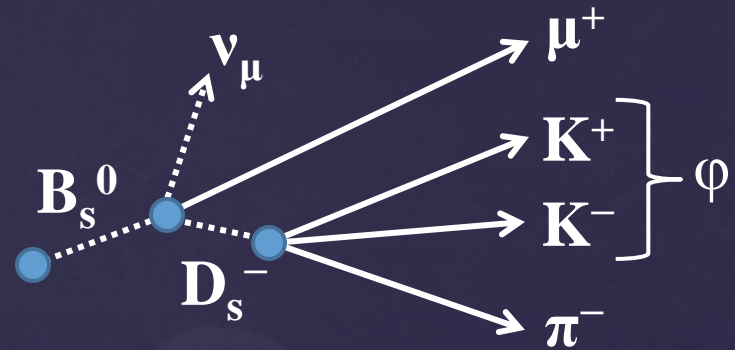
Decays

One decay channel for B_s^0 :

$$B_s^0 \rightarrow \mu^+ \nu D_s^- X$$

$$D_s^- \rightarrow \phi \pi^-$$

$$\phi \rightarrow K^+ K^-$$



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$$B_s^0 \rightarrow \mu^+ \nu D_s^- X$$

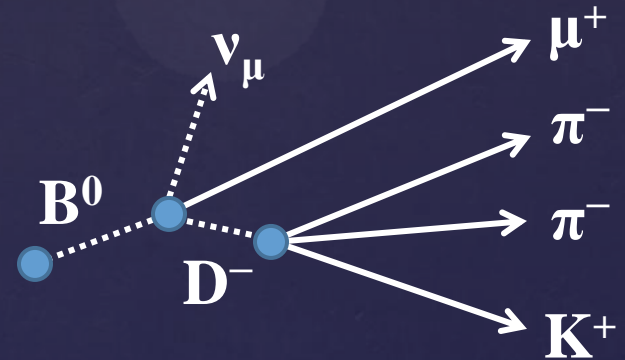
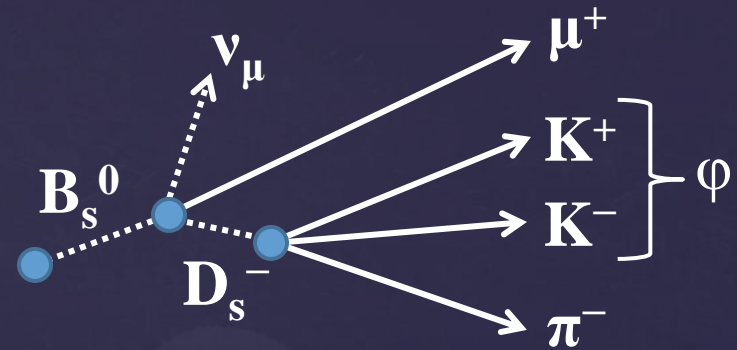
$$D_s^- \rightarrow \phi \pi^-$$

$$\phi \rightarrow K^+ K^-$$

Two decay channels for B^0 :

$$1) \quad B^0 \rightarrow \mu^+ \nu D^- X$$

$$D^- \rightarrow K^+ \pi^- \pi^-$$



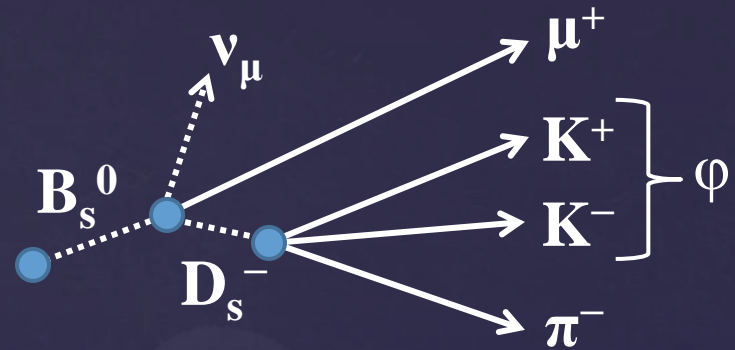
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One decay channel for B_s^0 :

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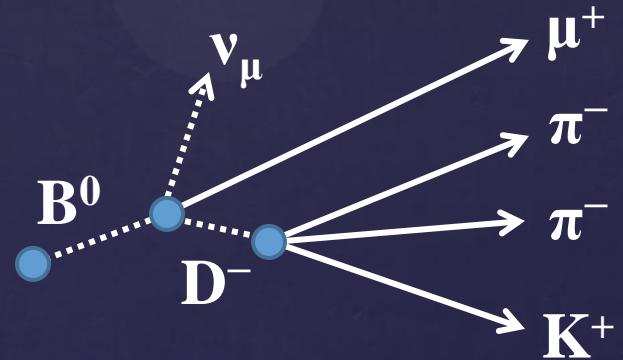
$$\phi \rightarrow K^+ K^-$$



Two decay channels for B^0 :

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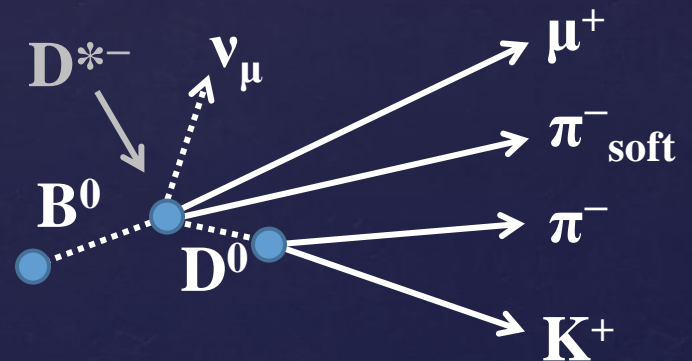
$$D^- \rightarrow K^+ \pi^- \pi^-$$



$$2) \quad B^0 \rightarrow \mu^+ \nu D^{*-} X$$

$$D^{*-} \rightarrow D^0 \pi^-$$

$$D^0 \rightarrow K^+ \pi^-$$



Analysis Overview

For each channel...

Raw asymmetry is extracted by counting $\mu D_{(s)}^{(*)\pm}$ signal yields:

$$A = \frac{N_{\mu^+ D_{(s)}^{(*)-}} - N_{\mu^- D_{(s)}^{(*)+}}}{N_{\mu^+ D_{(s)}^{(*)-}} + N_{\mu^- D_{(s)}^{(*)+}}} \equiv \frac{N_{\text{diff}}}{N_{\text{sum}}}$$

This is related to the semileptonic mixing asymmetry:

$$a_{\text{sl}}^q = \frac{A - A_{\text{BG}}}{F_{B_{(s)}^0}^{\text{osc}}}$$

A_{BG} : detector-related asymmetries (e.g. positive kaons have higher detection efficiency).

\Rightarrow

$(A - A_{\text{BG}})$ is the background corrected physical asymmetry – model independent, ≈ 0 in the SM.

Analysis Overview

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$F_{B_{(s)}^0}^{\text{osc}}$: fraction of reconstructed $\mu D_{(s)}$ decays from oscillated $B_{(s)}^0$ mesons.

\Rightarrow

Assume that all other sources of $\mu D_{(s)}$ candidates are charge symmetric (e.g. direct $B_{(s)}^0$ decay, prompt D meson production...)

Analysis Overview

For each channel...

Raw asymmetry is extracted by counting $\mu D_{(s)}^{(*)\pm}$ signal yields:

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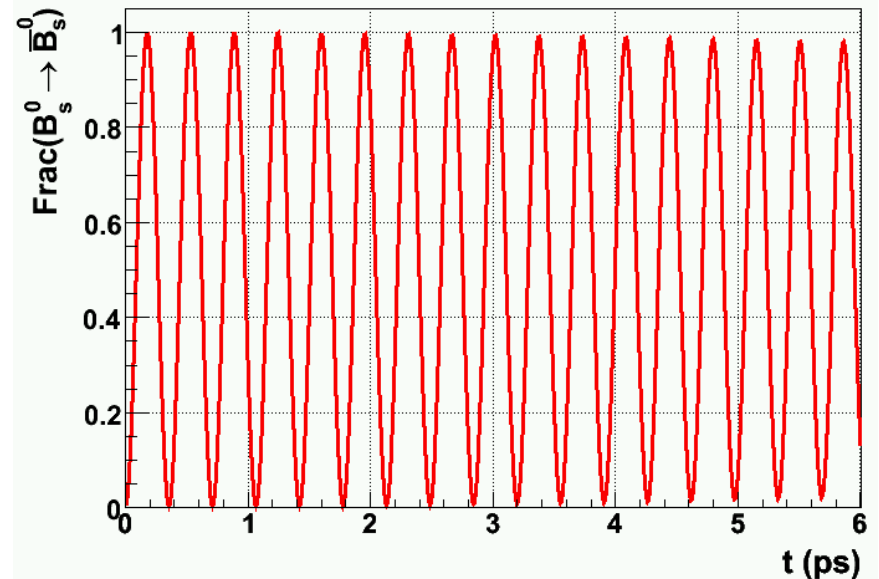
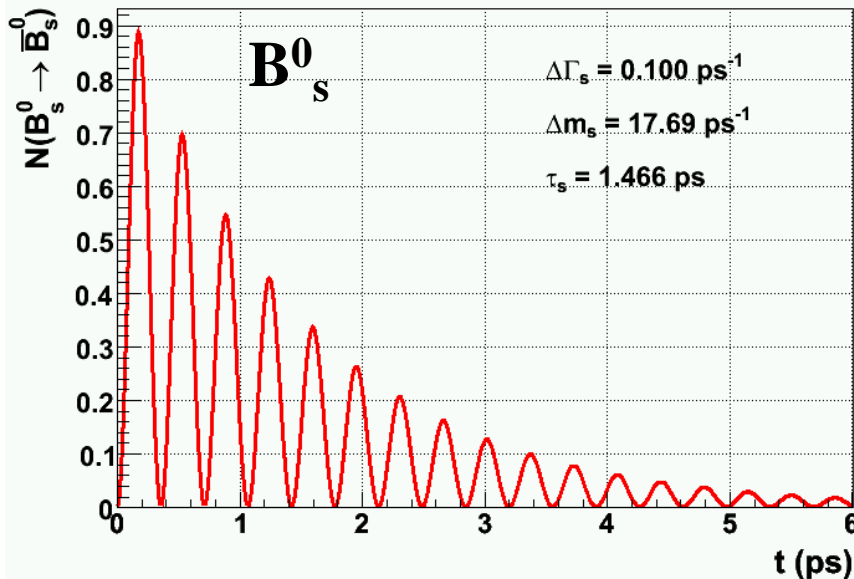
- 1) Measure A by fitting mass distributions for sum and difference;
- 2) Measure A_{BG} using data-driven methods from other channels;
- 3) Determine $F_{B_{(s)}^0}^{\text{osc}}$ using simulation

...then combine inputs to extract a_{sl}^q .

Time Dependence

Meson-antimeson oscillation is a time-dependent process

\Rightarrow non-zero a_{sl}^q manifests as **decay time-dependent asymmetry**

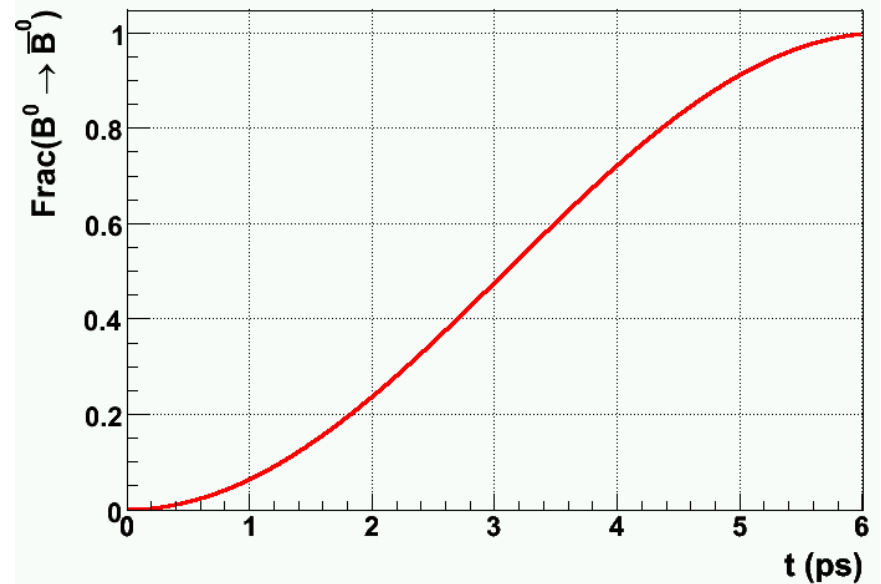
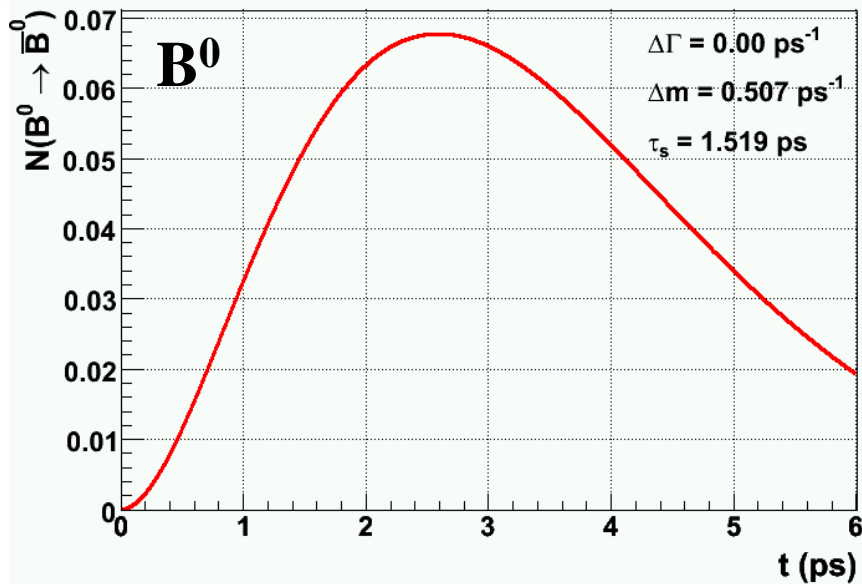


B_s^0 mesons: 'fast' oscillation ($\tau_s \Delta m_s \gg 1$)

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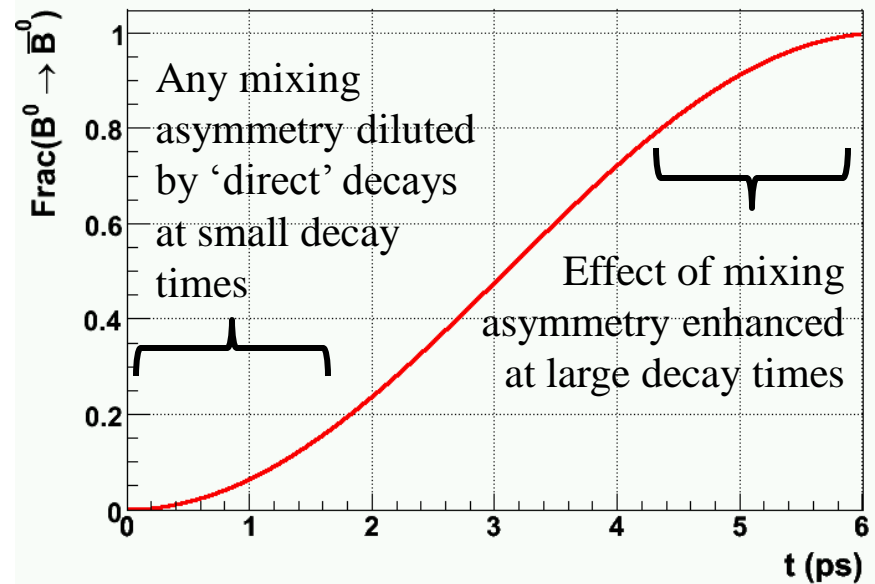
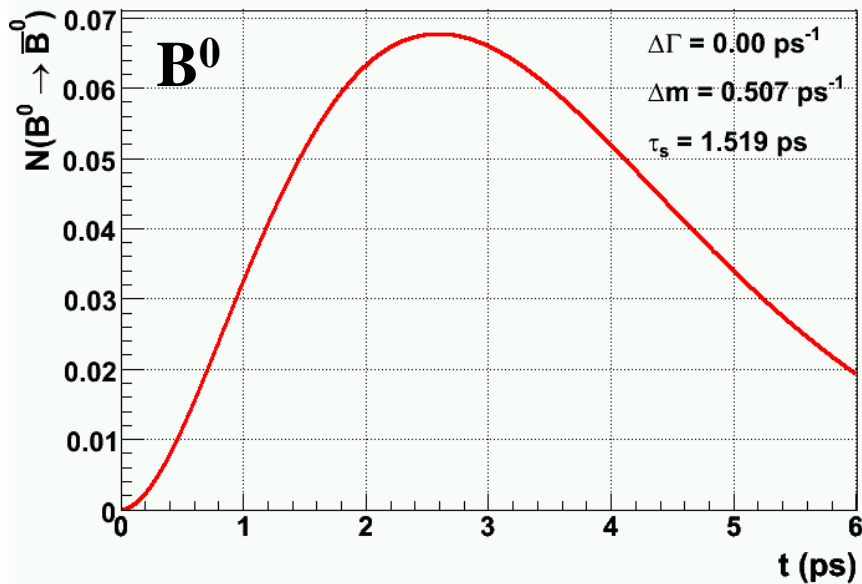


B^0 mesons: ‘slow’ oscillation ($\tau\Delta m \approx 1$)

Time Dependence

Meson-antimeson oscillation is a time-dependent process

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B^0 mesons: 'slow' oscillation ($\tau\Delta m \approx 1$)

Time VPDL Dependence

Experimentally, we measure the *decay length* in the transverse plane, L_{xy} :

$$ct = L_{xy}(B) \frac{cM(B)}{p_T(B)}$$

In semileptonic decays, the neutrino is undetected: we cannot measure $p_T(B)$, only $p_T(\mu D)$: use *visible proper decay length* (VPDL).

$$VPDL(B) = L_{xy}(B) \frac{cM(B)}{p_T(\mu D)}$$

Limitations:

- 1) Finite resolution on L_{xy}
- 2) Unknown missing momentum from neutrino

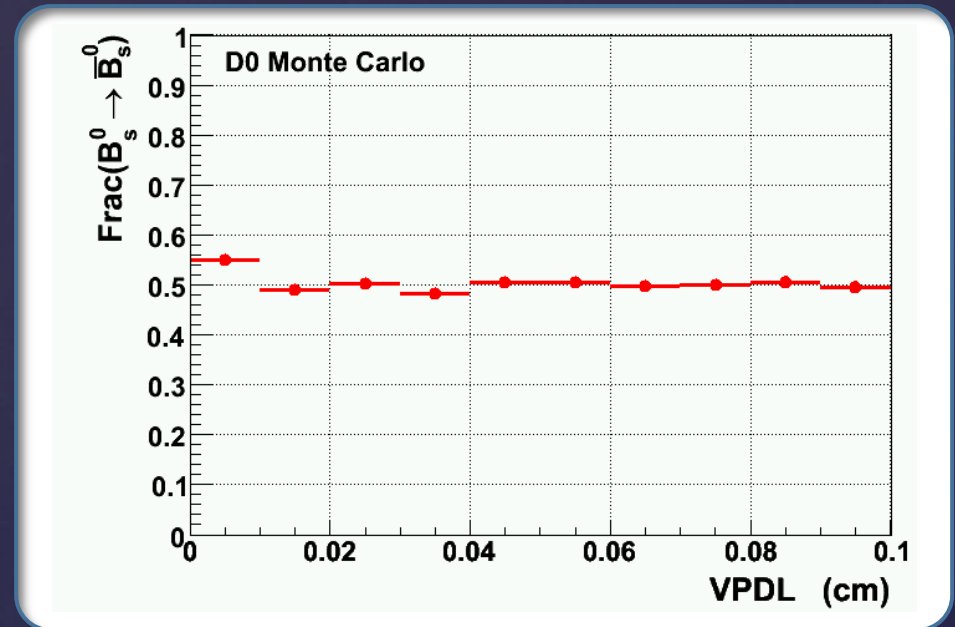
⇒ Reduced sensitivity to fast oscillations
Quantify using Monte Carlo simulations

Time VPDL Dependence

B_s^0 mesons:

Oscillations washed out in VPDL –
little to be gained from time-
dependent analysis.

i.e. for any measured decay time,
probability of oscillation is ~50%



⇒ Perform single time-integrated measurement and benefit from reduced systematic uncertainties.

Time VPDL Dependence

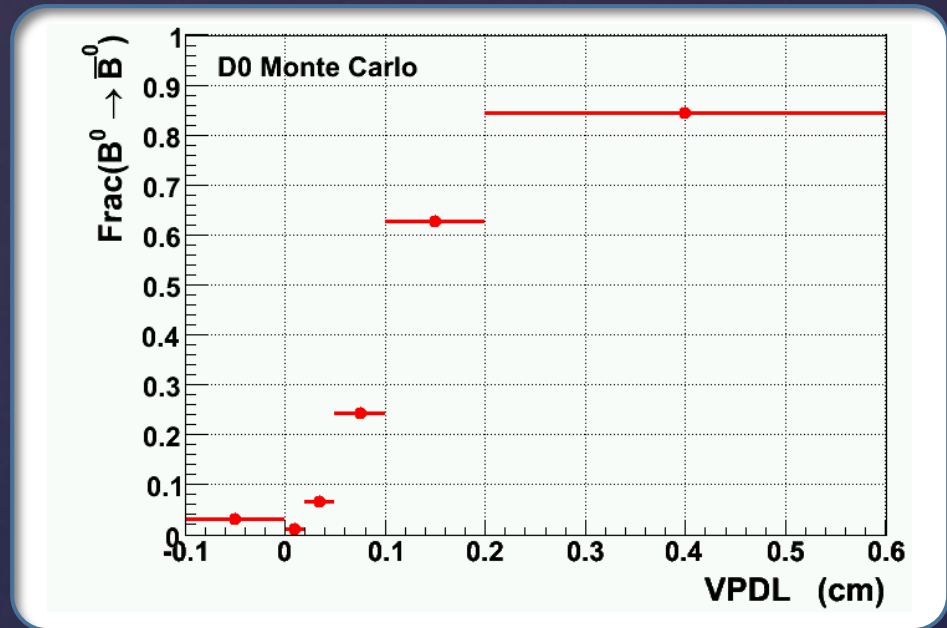
B^0 mesons:

Oscillation still clear versus VPDL

Small VPDL: sample dominated by direct decays of non-oscillated B^0
→ little sensitivity to a_{sl}^d

Large VPDL: sample dominated by decays of oscillated B^0
→ good sensitivity to a_{sl}^d

⇒ **Divide sample into six VPDL regions and measure a_{sl}^d separately in each.**



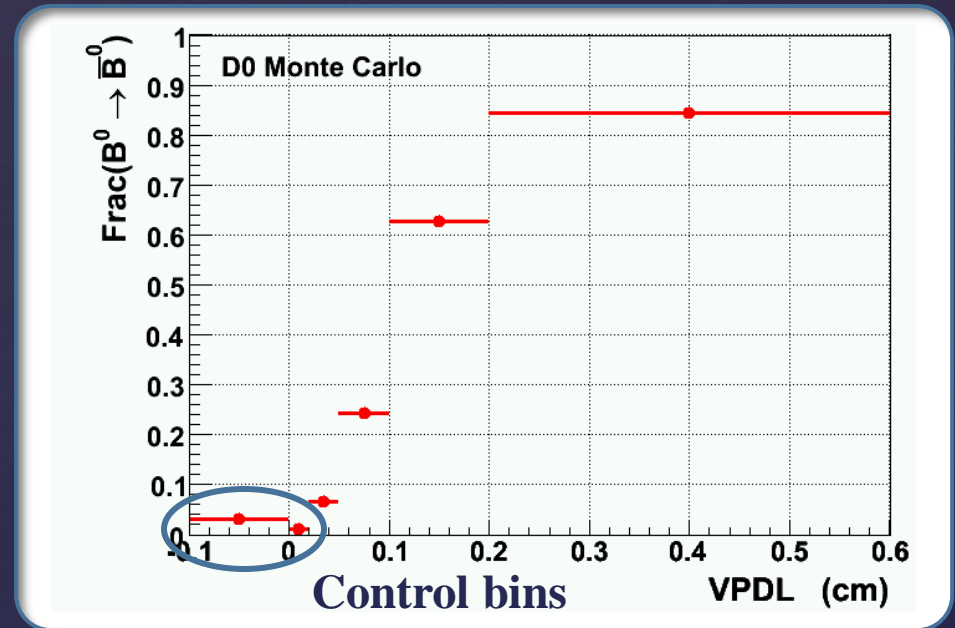
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⇒ **Divide sample into six VPDL regions and measure a_{sl}^d separately in each.**

⇒ **First 2 bins are control sample: expect $(A - A_{BG}) \approx 0$**

Event Selection

Channels use **common selections** where possible:

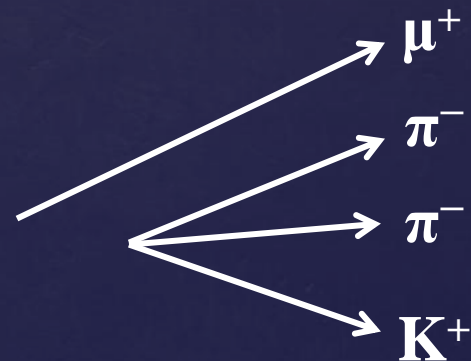
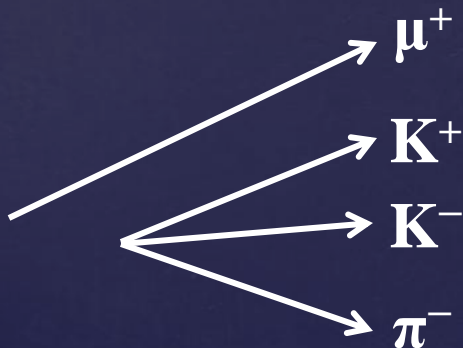
- Single and dimuon **triggers**
- High quality **track** in **muon** system, associated with **central track**



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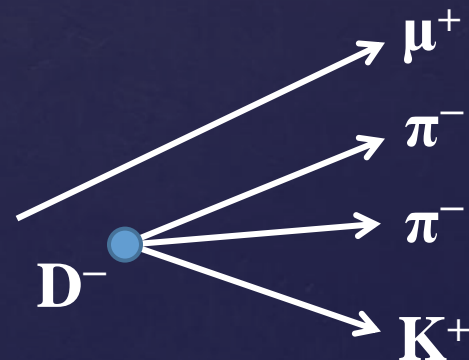
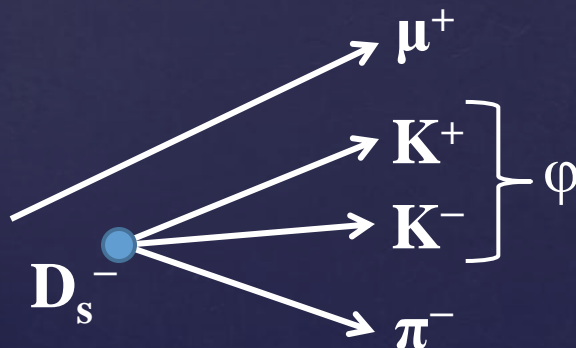
- Single and dimuon **triggers**
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- **3 additional tracks** with total charge $q(\text{ttt}) = -q(\mu)$, with loose vertex requirements



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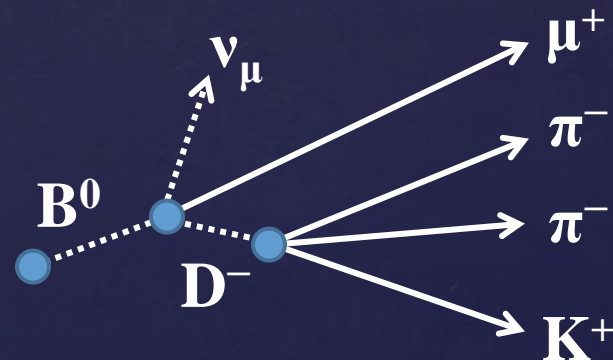
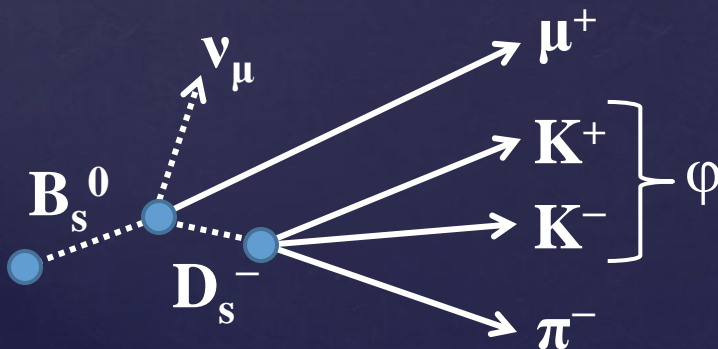
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- Trajectories and invariant mass consistent with D meson decay



Event Selection

Channels use **common selections** where possible:

- Single and dimuon **triggers**
- High quality **track** in muon system, associated with **central track**
- **3 additional tracks** with total charge $q(\text{ttt}) = -q(\mu)$, with loose vertex requirements
- Trajectories and invariant mass consistent with D meson decay
- Muon and D meson trajectories and mass consistent with semileptonic B meson decay

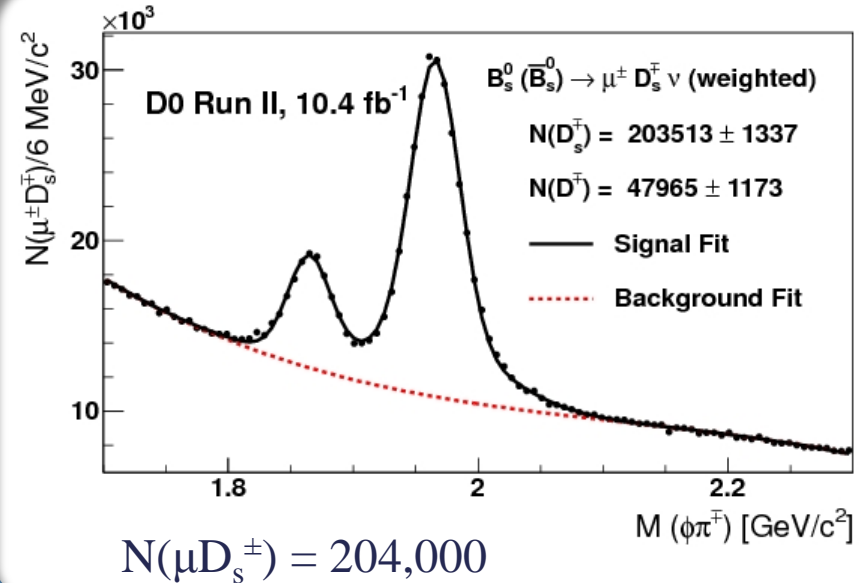


Event Selection

B_s^0 Channel

Final selections use multivariate discriminants

Final cut on multivariate discriminant chosen to maximize signal significance $S/\sqrt{(S+B)}$

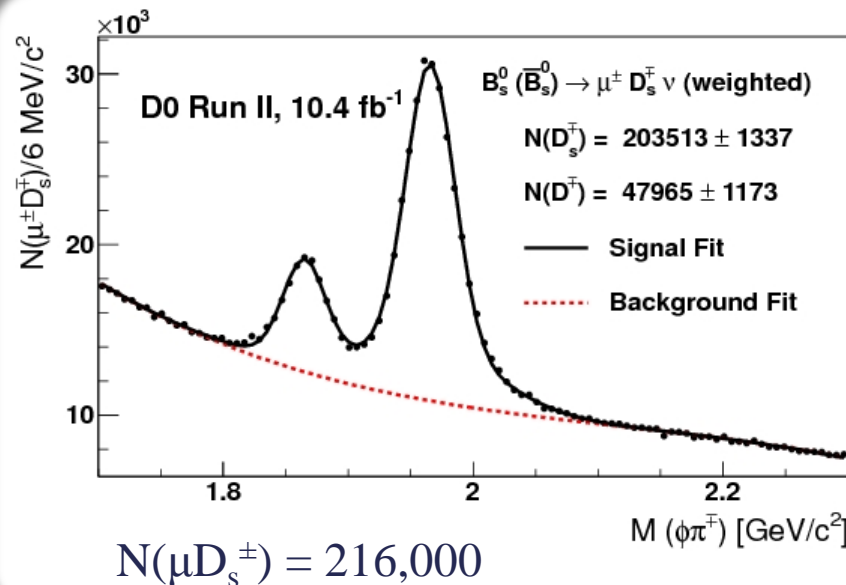
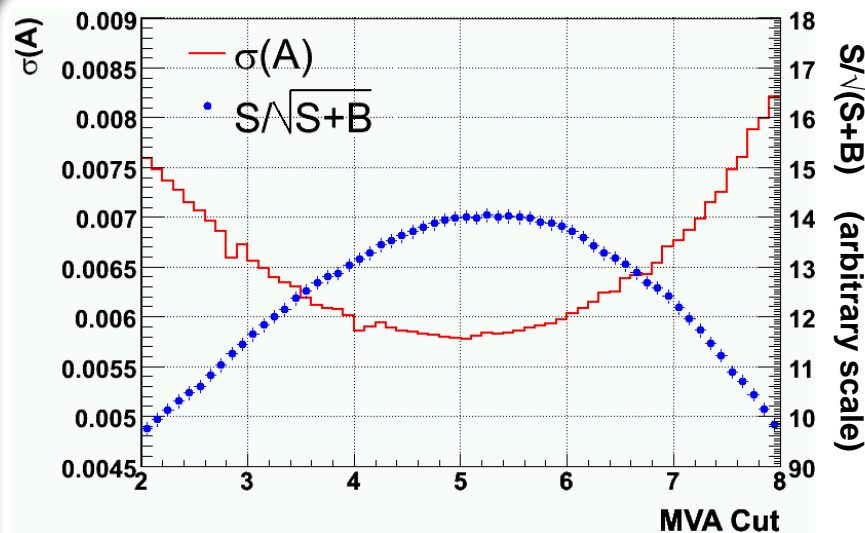


Event Selection

B_s^0 Channel

Final selections use multivariate discriminants

Final cut on multivariate discriminant chosen to maximize signal significance $S/\sqrt{(S+B)}$



Charge-randomised ensemble tests confirm that $S/\sqrt{(S+B)}$ is the proper metric for optimizing performance.

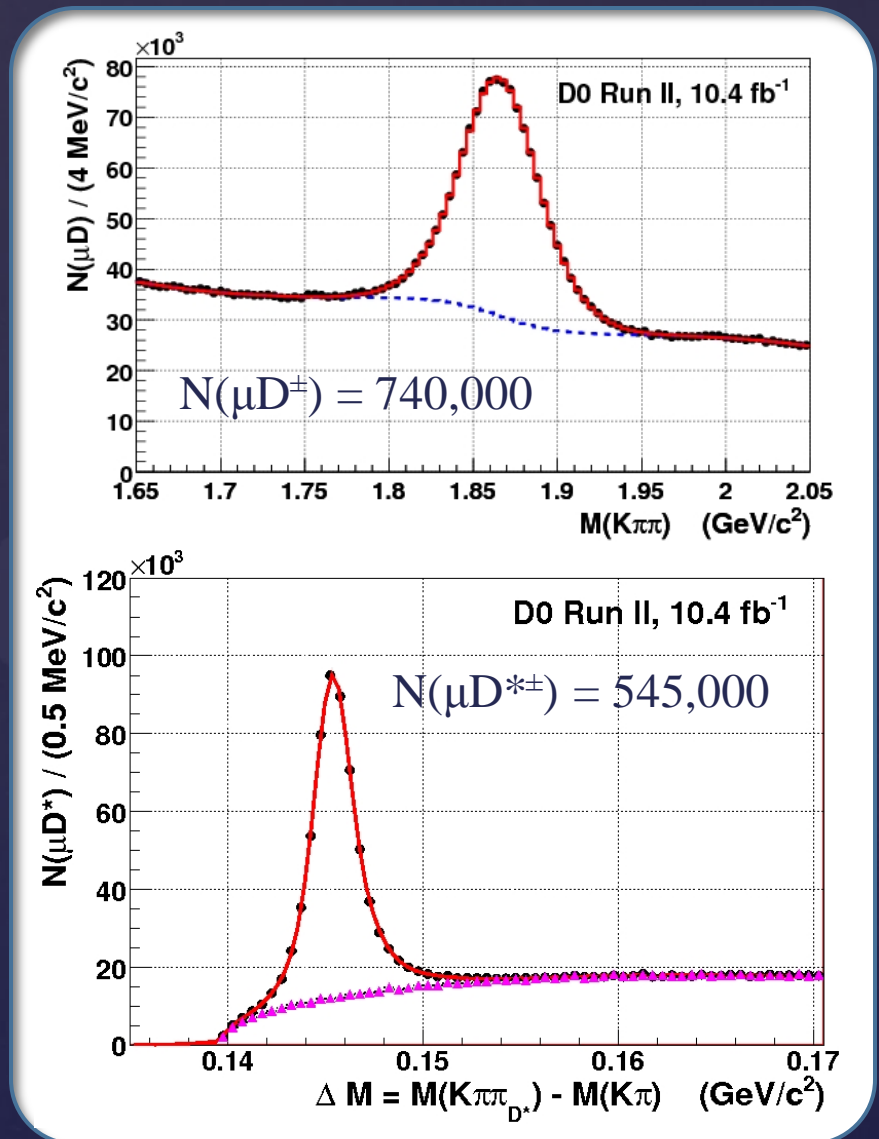
Event Selection

B^0 Channels

Final selections use multivariate discriminants

Final cut on multivariate discriminant chosen to maximize signal significance $S/\sqrt{(S+B)}$

B^0 selection optimized separately in each VPDL bin – significantly increases signal in most useful bins.



Magnet Polarity Weighting

Events are weighted such that sum of weights W is same for four (solenoid, toroid) = (\pm, \pm) polarity configurations.

$$W(\pm, \pm) = N_{\min}/N(\pm, \pm)$$

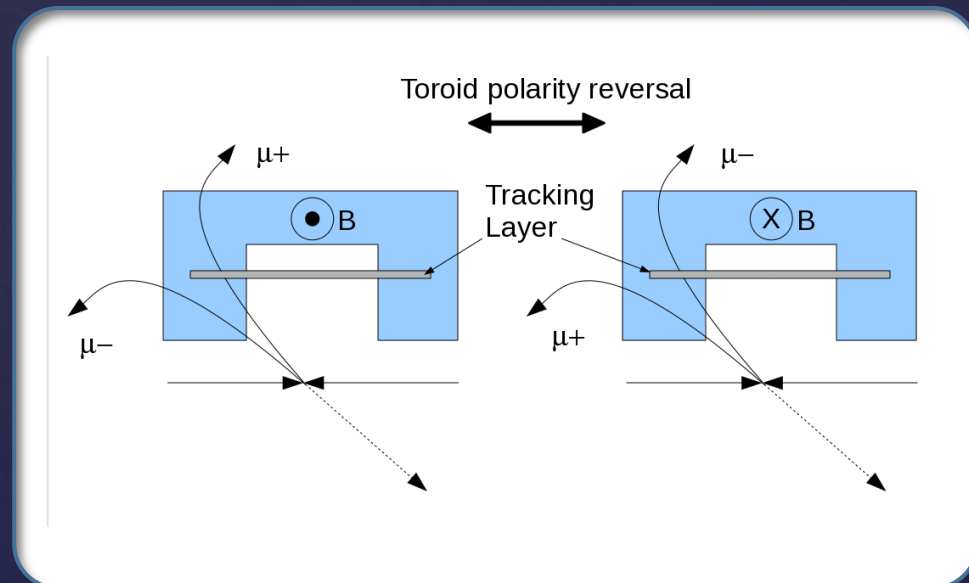
Weights determined separately in each VPDL bin, and for each channel.

Effective statistical loss of around 3-5%

$N(\mu D^{\pm})$: 740,000 \rightarrow 722,000
(2.4% loss)

$N(\mu D^{*\pm})$: 545,000 \rightarrow 519,000
(4.8% loss)

$N(\mu D_s^{\pm})$: 216,000 \rightarrow 203,000
(6.0% loss)



Raw Asymmetry Extraction

$$\left\{ \begin{array}{l} a_{sl}^q = \frac{A - A_{BG}}{F_{B(s)}^{osc}} \end{array} \right.$$

Extracting Raw Asymmetries

Construct invariant mass distributions that can be fitted to extract $\mu D_{(s)}^{(*)\pm}$ yields:

- $M(\phi\pi)$ for μD_s^\pm channel;
- $M(K\pi\pi)$ for μD^\pm channel;
- $\Delta M = M(D^0\pi) - M(D^0)$ for $\mu D^{*\pm}$ channel.

Fill charge-specific histograms H^\pm for each distribution, and use to construct sum and difference:

$$a_{sl}^q = \frac{A - A_{BG}}{F_{B(s)}^{osc}}$$

$$\begin{aligned} H_{\text{sum}} &= H^+ + H^- \\ H_{\text{diff}} &= H^+ - H^- \end{aligned}$$

Perform simultaneous binned χ^2 fit of sum and difference to extract asymmetry:

$$\chi^2 = \sum_{\text{bin } i=1}^N \left[\left(\frac{H_{\text{sum}}^i - F_{\text{sum}}^i}{\sigma_{\text{sum}}^i} \right)^2 + \left(\frac{H_{\text{diff}}^i - F_{\text{diff}}^i}{\sigma_{\text{diff}}^i} \right)^2 \right]$$

$F_{\text{sum(diff)}}^i$ are fit functions
 $F_{\text{sum(diff)}}^i$ integrated over
width of bin i .

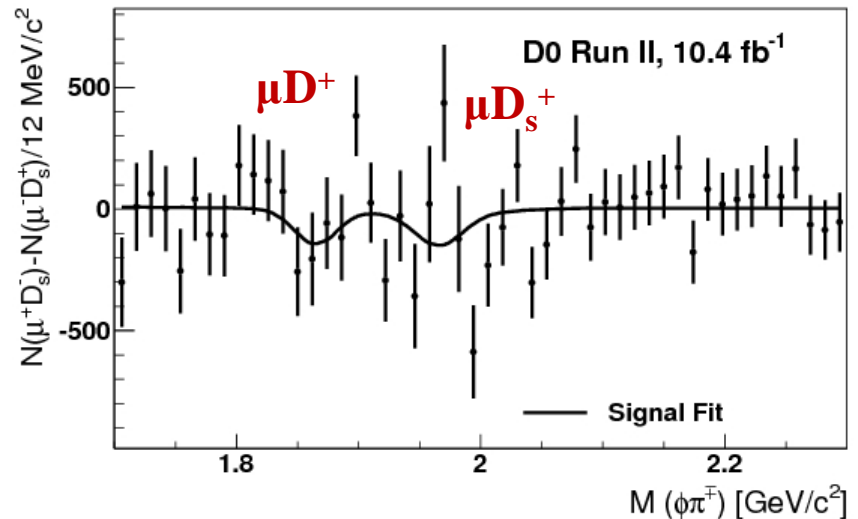
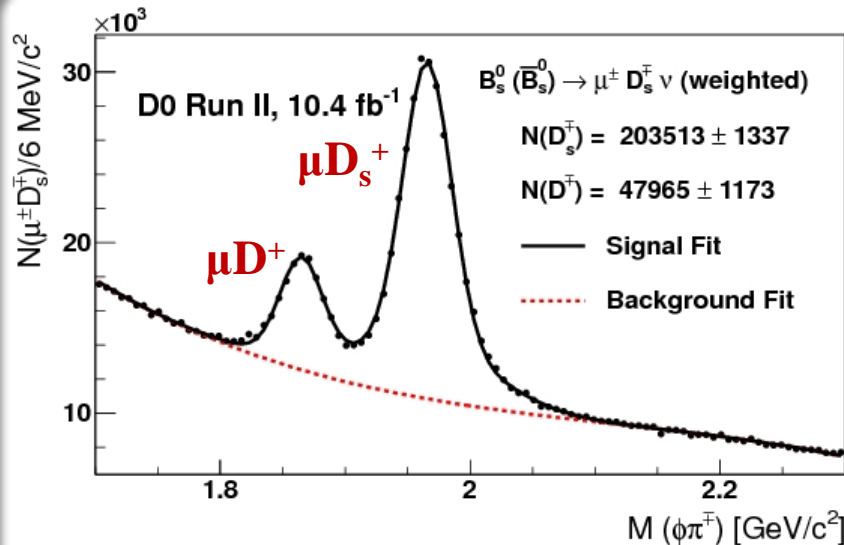
$$\sigma_{\text{sum}}^i = \sigma_{\text{diff}}^i = \sqrt{H_{\text{sum}}^i}$$

Sum/Difference Fit: μD_s^\pm

$$a_{sl}^q = \frac{A - A_{BG}}{F_{B(s)}^{\text{osc}}}$$

Single time-integrated fit

$$A = (-0.40 \pm 0.33) \%$$



Smaller peak from $B^0 \rightarrow \mu \nu D^+$

Also measure asymmetry in this component:

$$A_{D^+} = (-1.21 \pm 1.00)\%$$

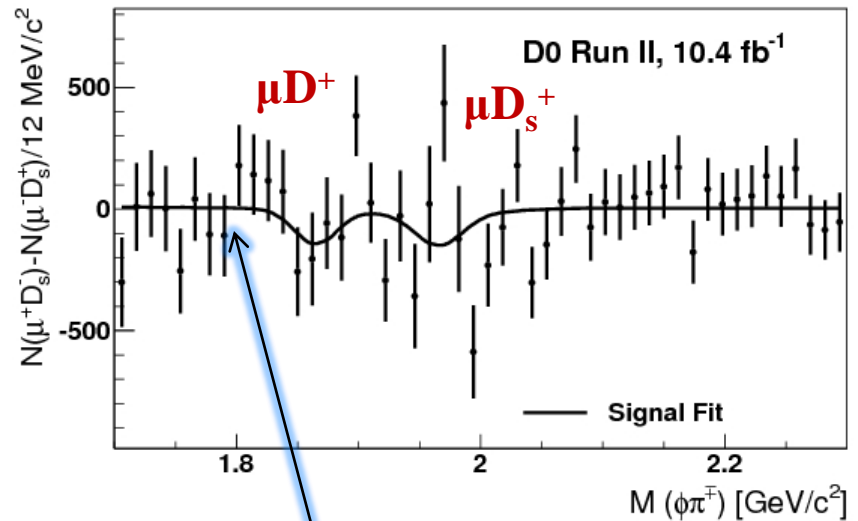
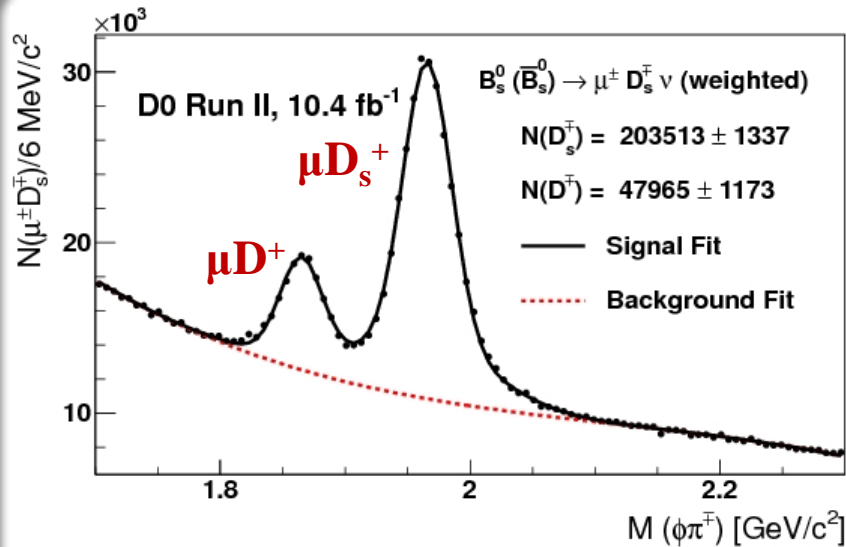
Signal parameters common to both fits – constrained from sum distribution

Sum/Difference Fit: μD_s^\pm

$$a_{sl}^q = \frac{A + A_{BG}}{F_{B(s)}^{osc}}$$

Single time-integrated fit

$$A = (-0.40 \pm 0.33) \%$$



Smaller peak from $B^0 \rightarrow \mu \nu D^+$

Also measure asymmetry in this component:

$$A_{D^+} = (-1.21 \pm 1.00) \%$$

Negligible asymmetry in background

$$A_{BG} = (0.00 \pm 0.11) \%$$

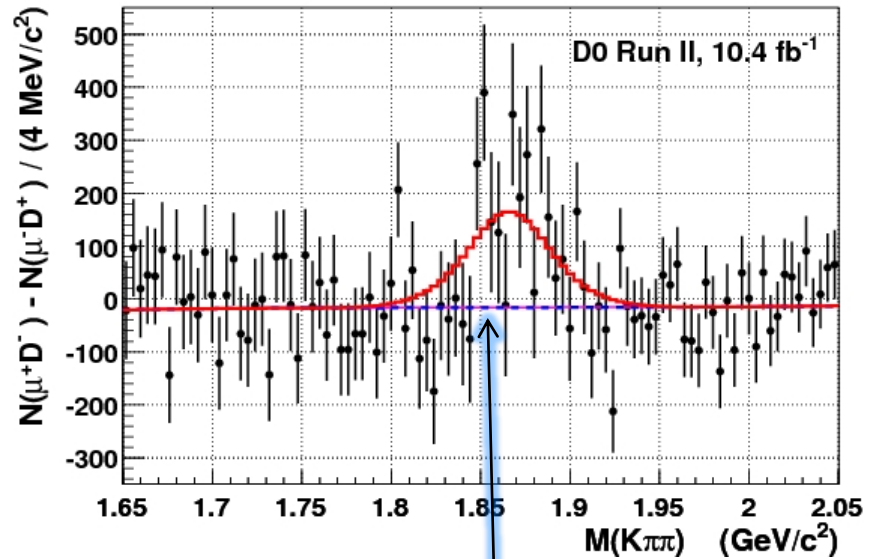
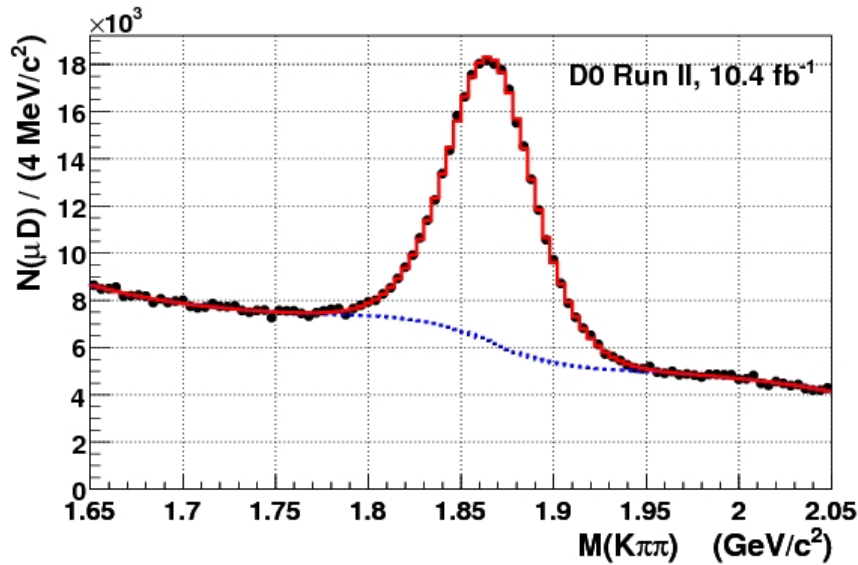
Strong indication that track reconstruction asymmetry is small.

Example Fits: μD^\pm

For $[0.10 < \text{VPDL}(B) < 0.20]$ cm
(Bin with highest a_{sl}^d sensitivity)

$$a_{\text{sl}}^q = \frac{A + A_{\text{BG}}}{F_{B(s)}^{\text{osc}}}$$

$$A = 1.48 \pm 0.41 \%$$



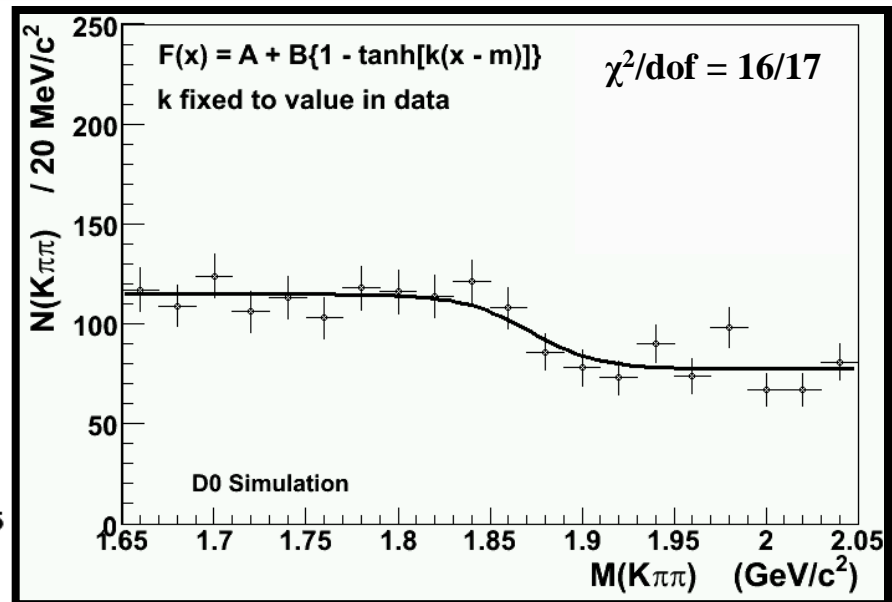
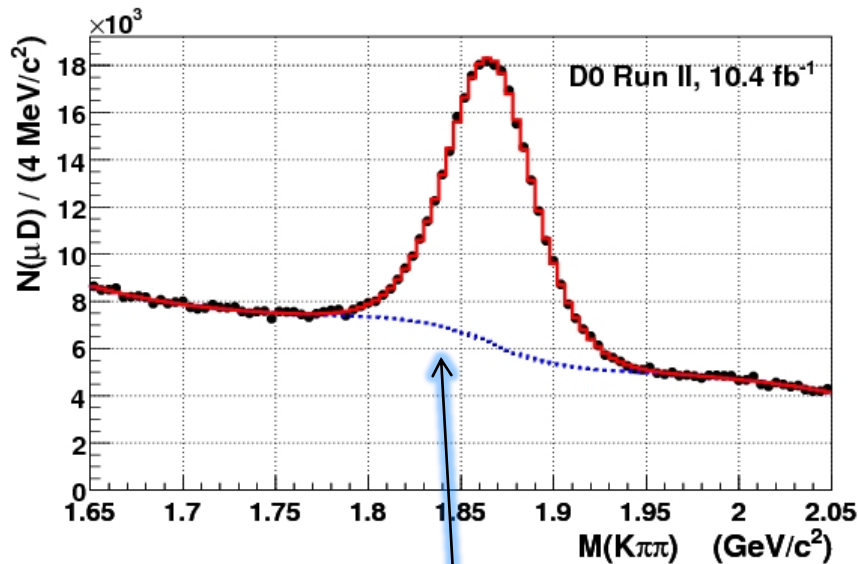
Significant positive asymmetry:
expected due to kaon
reconstruction effects.

Example Fits: μD^\pm

$$a_{sl}^q = \frac{A + A_{BG}}{F_{B(s)}^{osc}}$$

For $[0.10 < \text{VPDL}(B) < 0.20]$ cm
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$$A = 1.48 \pm 0.41 \%$$



Hyperbolic tangent models effects of partially-reconstructed decays and reflections, e.g.

$$D^- \rightarrow K^+ \pi^- \pi^- \pi^0$$

$$D^{*-} \rightarrow \pi^- (D^0) K^+ \pi^- \pi^0$$

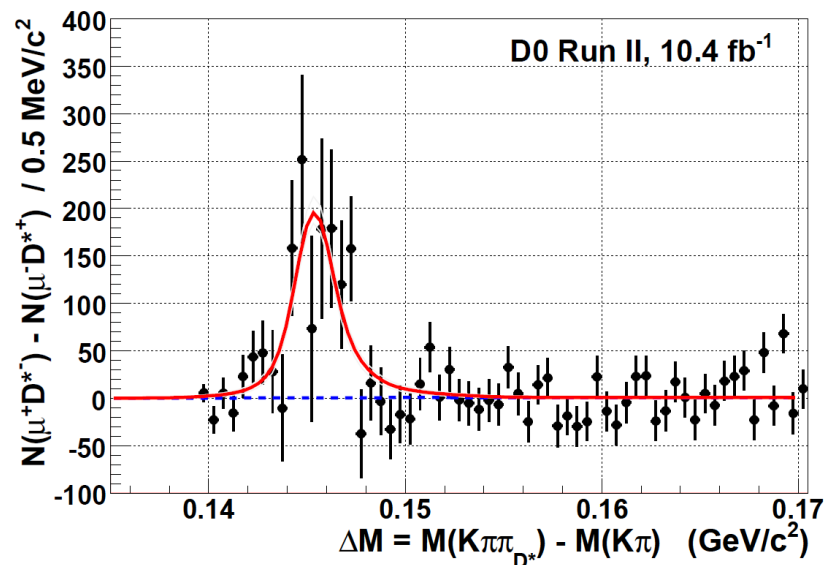
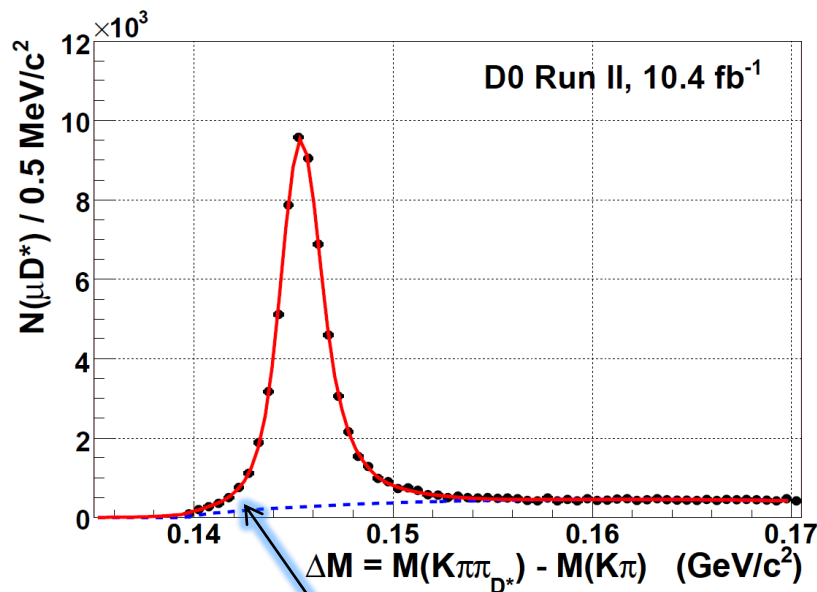
Individual and collective effects studied and validated using MC simulations

Example Fits: $\mu D^{*\pm}$

$$a_{sl}^q = \frac{A + A_{BG}}{F_{B(s)}^{osc}}$$

For $[0.10 < \text{VPDL}(B) < 0.20]$ cm
(Bin with highest a_{sl}^d sensitivity)

$$A = 2.11 \pm 0.44 \%$$



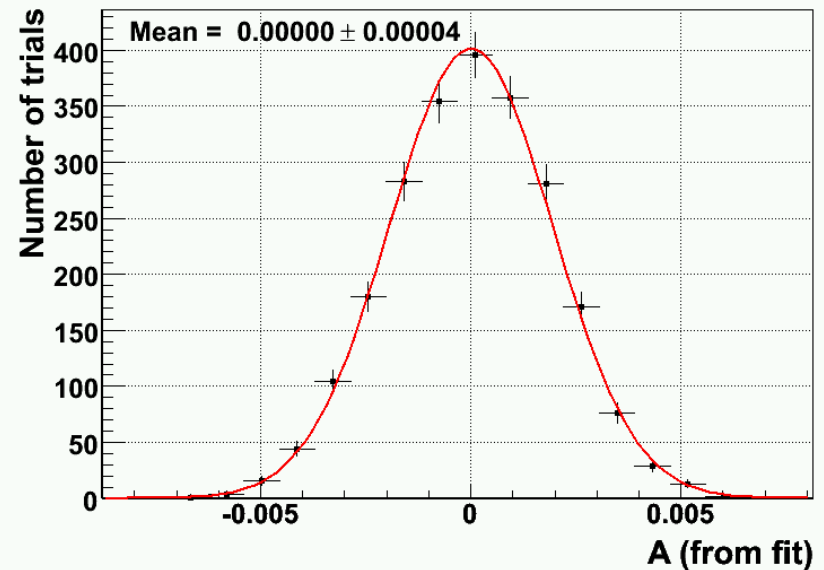
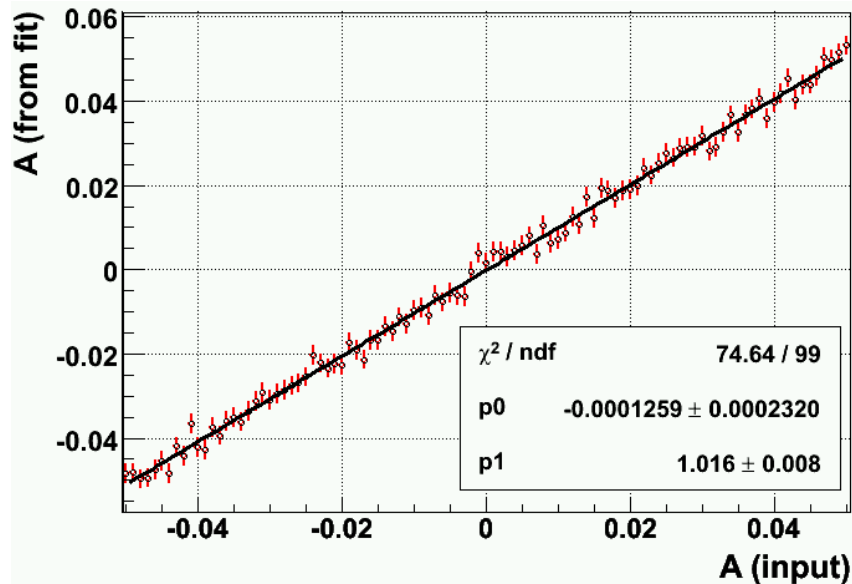
Proximity of pion threshold skews shapes of signal and background, and necessitates careful study of BG shape.

Validating Fits

$$a_{sl}^q = \frac{A - A_{BG}}{F_{B(s)}^{osc}}$$

Ensemble tests confirm fits are **unbiased** and report true **uncertainties**:

- 1) Use random number generator to pick candidate charges by ‘flipping a biased coin’ to obtain samples with different input asymmetries
- 2) Perform fit to extract asymmetry
- 3) Repeat ~5-10K times



Systematic Uncertainties

$$a_{sl}^q = \frac{A - A_{BG}}{F_{B(s)}^{osc}}$$

Allow simultaneous variations in several aspects of fits:

- Bin widths, upper and lower fitting limits
- Fitting functions (sum/diff for both signal and BG components)
- Alternative weighting scheme

Examine effect on final measured asymmetry over this set of fit variants

μD^\pm (similar for other channels)

Source	Bin 1 −0.10 – 0.00 cm	Bin 2 0.00 – 0.02 cm	Bin 3 0.02 – 0.05 cm	Bin 4 0.05 – 0.10 cm	Bin 5 0.10 – 0.20 cm	Bin 6 0.20 – 0.60 cm
μD channel						
Bin width	0.09%	0.01%	0.01%	0.01%	0.00%	0.05%
Fit limits	0.17%	0.06%	0.08%	0.05%	0.03%	0.12%
Magnet weighting	0.02%	0.00%	0.00%	0.00%	0.00%	0.01%
Signal model	0.03%	0.03%	0.01%	0.04%	0.01%	0.01%
Background model (sum)	0.03%	0.00%	0.01%	0.01%	0.01%	0.00%
Background model (diff)	0.01%	0.00%	0.01%	0.00%	0.01%	0.02%
Combined systematic	±0.19%	±0.07%	±0.08%	±0.07%	±0.05%	±0.13%
Statistical	±1.28%	±0.35%	±0.32%	±0.33%	±0.41%	±0.88%

For all measurements, systematic uncertainty considerably smaller than statistical.

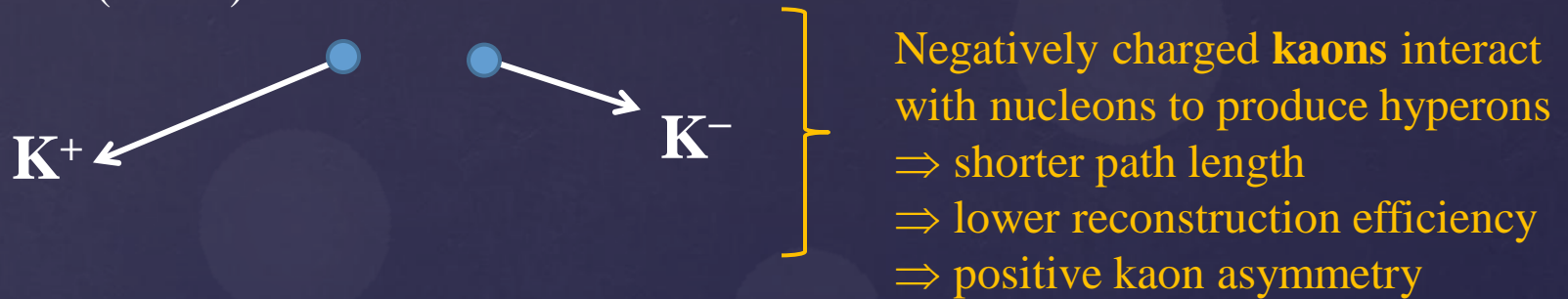
Detector Asymmetries

$$\left\{ \begin{array}{l} a_{sl}^q = \frac{A - A_{BG}}{F_{B(s)}^{osc}} \end{array} \right.$$

Detector Effects – Introduction

Final-state particles can have different detection efficiencies for particles and antiparticles. Two causes:

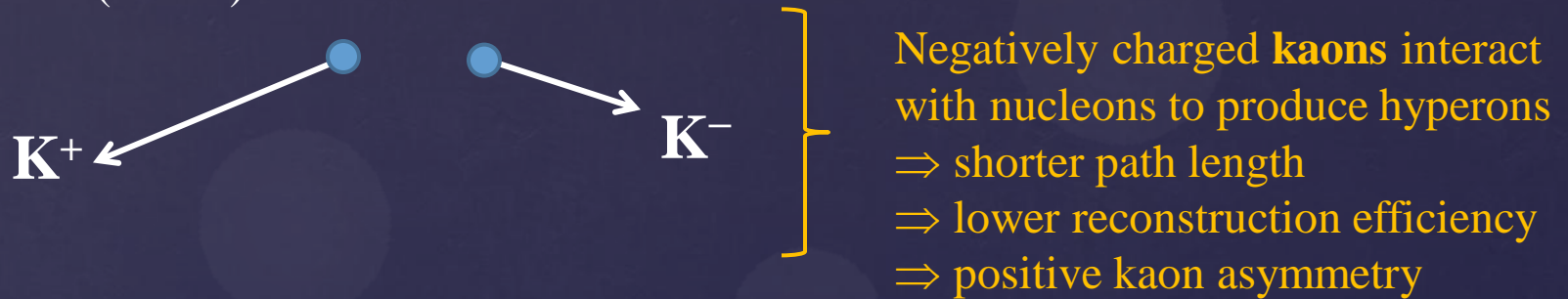
- 1) ‘Physics’ asymmetries due to different interaction cross-sections of particles in the detector (matter) material.



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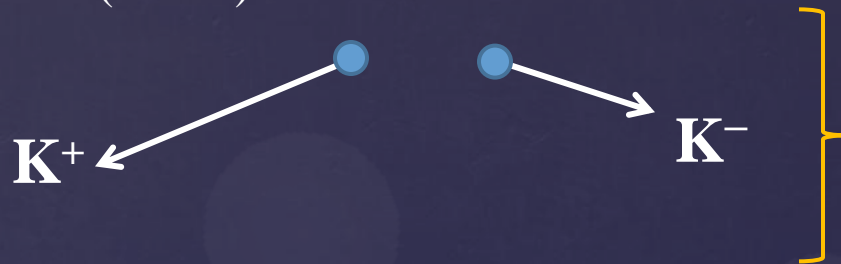


- 2) Residual asymmetries remaining after magnet polarity weighting, e.g. due to imperfect cancellation of (time-dependent) inactive detector elements.

Detector Effects – Introduction

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- 1) ‘Physics’ asymmetries due to different interaction cross-sections of particles in the detector (matter) material.



Negatively charged **kaons** interact with nucleons to produce hyperons
 \Rightarrow shorter path length
 \Rightarrow lower reconstruction efficiency
 \Rightarrow positive kaon asymmetry

- 2) Residual asymmetries remaining after magnet polarity weighting, e.g. due to imperfect cancellation of (time-dependent) inactive detector elements.

For B^0 channels ($\mu^+K^+\pi^-\pi^-$): $A_{BG} = a^\mu + a^K - 2a^\pi$

For B_s^0 channel ($\mu^+\phi\pi^-$): $A_{BG} = a^\mu - a^\pi$

$$a^X \equiv \frac{\varepsilon^{X^+} - \varepsilon^{X^-}}{\varepsilon^{X^+} + \varepsilon^{X^-}}$$

Kaon Reconstruction Asymmetry

Only affects B^0 channels

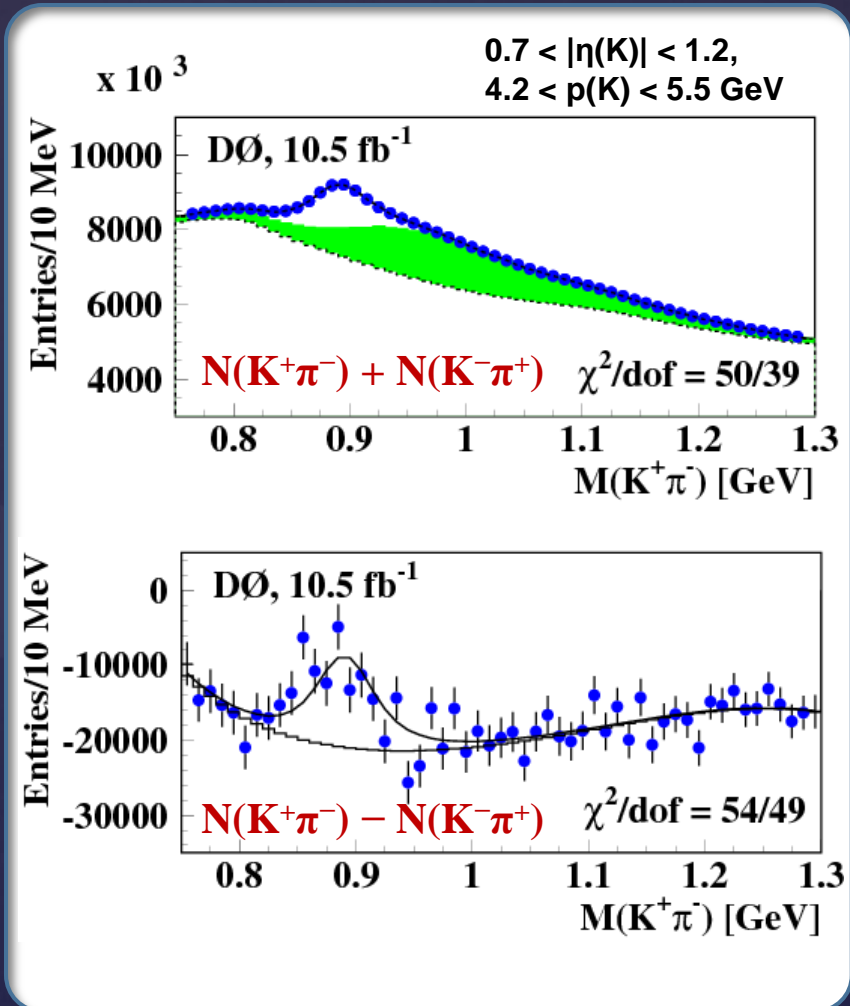
Use dedicated, independent decay channel
 $K^{*0} \rightarrow K^+ \pi^-$

Dominated by light-quark fragmentation: no underlying source of production/decay asymmetry

Also includes possible **asymmetry** in reconstruction of opposite-charge **pion**:

$$\frac{N(K^+\pi^-) - N(K^-\pi^+)}{N(K^+\pi^-) + N(K^-\pi^+)} = a^K - a^\pi$$

$$A_{BG}(B^0) = a^\mu + a^K - 2a^\pi$$



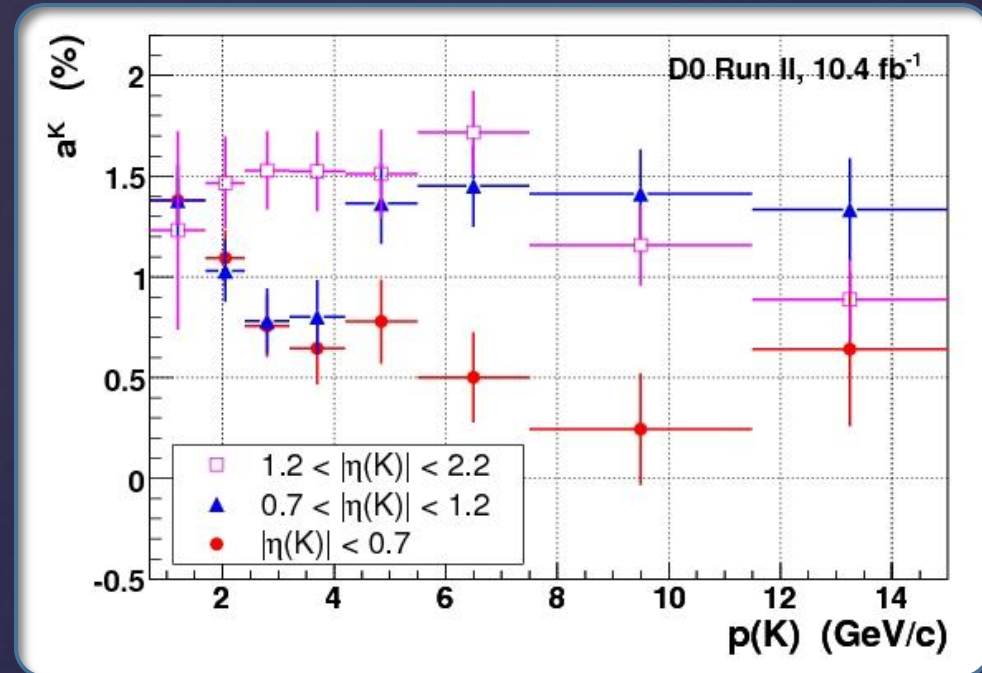
Kaon Reconstruction Asymmetry

Only affects B^0 channels

Use dedicated, independent decay channel
 $K^{*0} \rightarrow K^+ \pi^-$

Kaon path-length dependent: perform separately in 24 bins of $[p(K), |\eta(K)|]$

Convolute a^K distribution with $[p(K), |\eta(K)|]$ for each channel and each VPDL bin to obtain final kaon corrections



$$A_{BG}(B^0) = a^\mu + a^K - 2a^\pi$$

Residual Muon Asymmetry

Affects all three channels

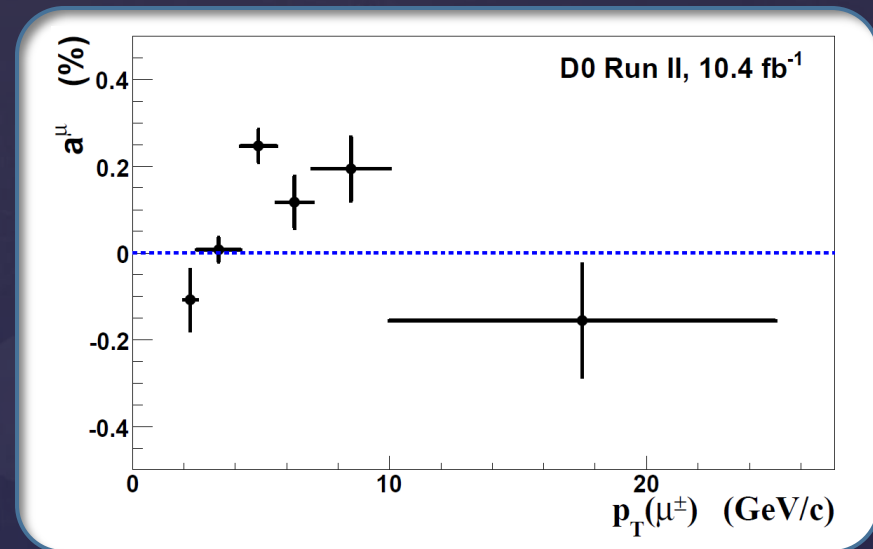
10x smaller than kaon asymmetry.

Asymmetries not perfectly cancelled by magnet polarity reversal

Dedicated channel $J/\psi \rightarrow \mu^+ \mu^-$

Insensitive to track asymmetry – only local muon reconstruction;

Study difference $N(\mu^+ t^-) - N(\mu^- t^+)$ and fit invariant mass distribution to extract asymmetry in $p_T(\mu)$ bins;



$$A_{BG}(B^0) = a^\mu + a^K - 2a^\pi$$

$$A_{BG}(B_s^0) = a^\mu - a^\pi$$

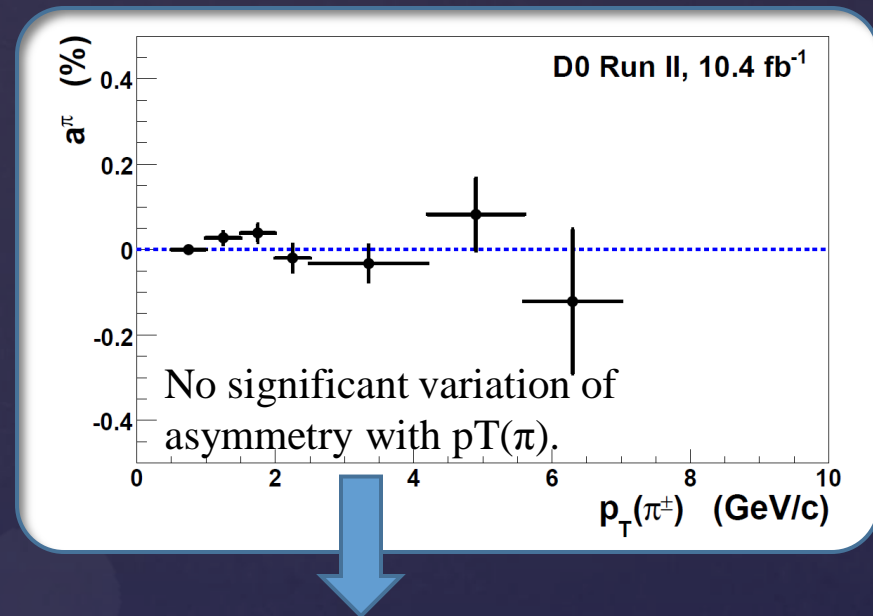
Residual Track Asymmetry

Affects all three channels

Use $K_S^0 \rightarrow \pi^+ \pi^-$ decays to test relative track asymmetries versus $p_T(\text{track})$

Charge-symmetric process: insensitive to absolute charge asymmetry;

Symmetry breaks down when dividing into separate p_T samples.



- 1) Overall track asymmetry will cancel in signal final states ($\mu^+ \pi^-$)
- 2) Suggests negligible absolute asymmetry, since any effect should be p_T dependent

Residual Track Asymmetry

Affects all three channels

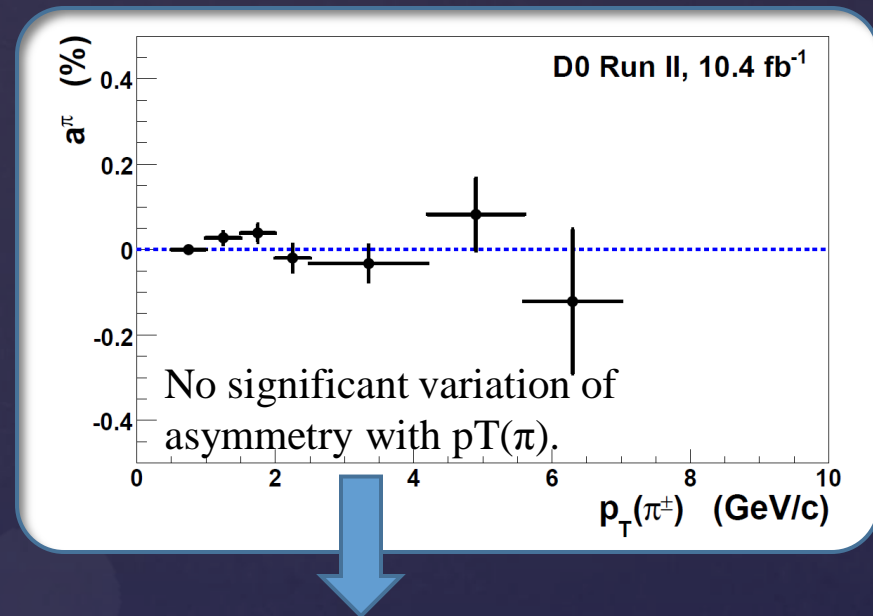
Use $K_S^0 \rightarrow \pi^+ \pi^-$ decays to test relative track asymmetries versus $p_T(\text{track})$

Charge-symmetric process: insensitive to absolute charge asymmetry;

Symmetry breaks down when dividing into separate p_T samples.

Additional dedicated channel ($K^{*\pm} \rightarrow K_S^0 \pi^\pm$) finds no evidence for an absolute asymmetry.

Assign $a^\pi = (0.00 \pm 0.05)\%$



- 1) Overall track asymmetry will cancel in signal final states ($\mu^+ \pi^-$)
- 2) Suggests negligible absolute asymmetry, since any effect should be p_T dependent

Final A_{BG} Corrections

- Kaon asymmetry x10 larger than muon asymmetry
- Asymmetries consistent across VPDL bins
- Small differences between channels due to different kinematics

For B_s^0 channel:

$$A_{BG} = (0.11 \pm 0.06)\%$$

For $B^0 \rightarrow \mu D^\pm$ channel, $A_{BG} = 1.23\% \rightarrow 1.27\% \pm 0.07\%$

	Bin 1 −0.10 − 0.00 cm	Bin 2 0.00 − 0.02 cm	Bin 3 0.02 − 0.05 cm	Bin 4 0.05 − 0.10 cm	Bin 5 0.10 − 0.20 cm	Bin 6 0.20 − 0.60 cm
μD channel						
A (%)	2.70 ± 1.28 ± 0.19	1.02 ± 0.35 ± 0.07	1.16 ± 0.32 ± 0.08	1.50 ± 0.33 ± 0.07	1.48 ± 0.41 ± 0.05	1.20 ± 0.88 ± 0.13
a^K (%)	1.128 ± 0.041 ± 0.014	1.124 ± 0.040 ± 0.014	1.141 ± 0.040 ± 0.014	1.147 ± 0.040 ± 0.014	1.157 ± 0.040 ± 0.015	1.157 ± 0.040 ± 0.014
a^μ (%)	0.102 ± 0.025 ± 0.008	0.105 ± 0.027 ± 0.009	0.107 ± 0.029 ± 0.012	0.107 ± 0.029 ± 0.013	0.108 ± 0.028 ± 0.011	0.108 ± 0.028 ± 0.009
A_{BG} (%)	1.230 ± 0.048 ± 0.053	1.229 ± 0.048 ± 0.053	1.248 ± 0.049 ± 0.053	1.254 ± 0.049 ± 0.054	1.265 ± 0.049 ± 0.053	1.265 ± 0.049 ± 0.053

(For $B^0 \rightarrow \mu D^{*\pm}$ channel, $A_{BG} = 1.18\% \rightarrow 1.20\% \pm 0.08\%$)

Oscillated $B_{(s)}^0$ Fraction

$$\left\{ a_{sl}^q = \frac{A - A_{BG}}{F_{B_{(s)}^0}^{osc}} \right.$$

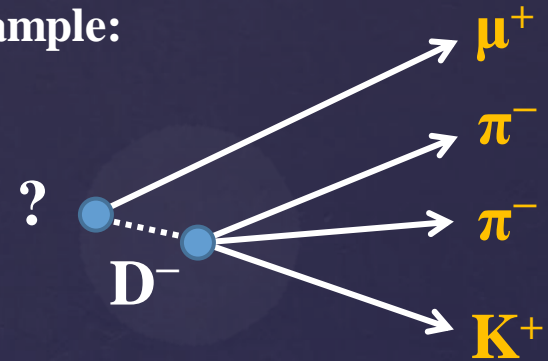
Dilution from non-mixed B mesons

Semi-inclusive event selection: missing neutrino prevents unique identification of $B_{(s)}^0$ mesons;

Some $\mu D_{(s)}^{(*)}$ candidates arise from other sources:

- Prompt $c \rightarrow D$
- B^+ decays
- B^0 in B_s^0 channel / B_s^0 in B^0 channel
- b baryons (negligible)

Example:

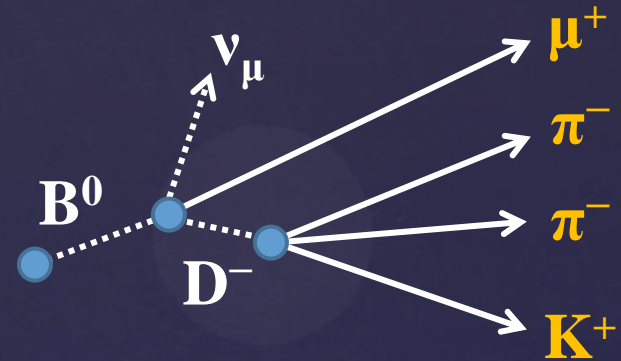


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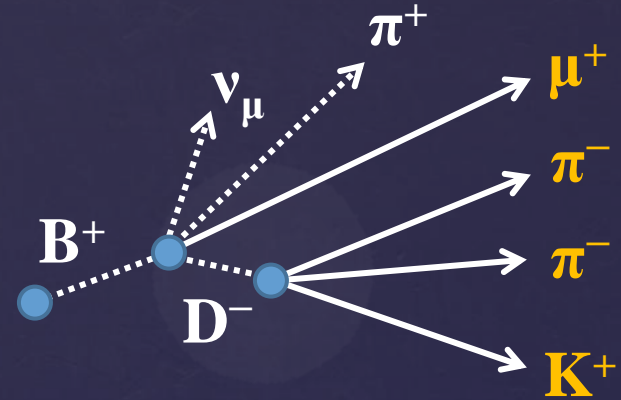
$$\text{Br}(B^0 \rightarrow \mu^+ \nu_\mu D^-) = 2.18 \pm 0.12 \%$$

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- **B^+ decays**
- B^0 in B_s^0 channel / B_s^0 in B^0 channel
- b baryons (negligible)



$$\text{Br}(B^0 \rightarrow \mu^+ \nu D^-) = 2.18 \pm 0.12 \%$$

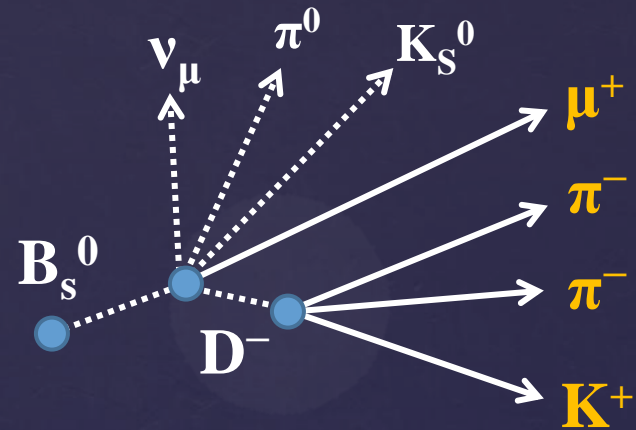
$$\text{Br}(B^+ \rightarrow \mu^+ \nu \pi^+ D^-) = 0.42 \pm 0.05 \%$$

Dilution from non-mixed B mesons

Semi-inclusive event selection: missing neutrino prevents unique identification of $B_{(s)}^0$ mesons;

Some $\mu D_{(s)}^{(*)}$ candidates arise from other sources:

- Prompt $c \rightarrow D$
- B^+ decays
- **B^0 in B_s^0 channel / B_s^0 in B^0 channel**
- b baryons (negligible)



$$\text{Br}(B^0 \rightarrow \mu^+ \nu D^-) = 2.18 \pm 0.12 \%$$

$$\text{Br}(B^+ \rightarrow \mu^+ \nu \pi^+ D^-) = 0.42 \pm 0.05 \%$$

$$\begin{aligned} \text{Br}(B_s^0 \rightarrow \mu^+ \nu D_{s1}^- \rightarrow \mu^+ \nu \pi^0 K_S^0 D^-) \\ = 0.08 \pm 0.02 \% \end{aligned}$$

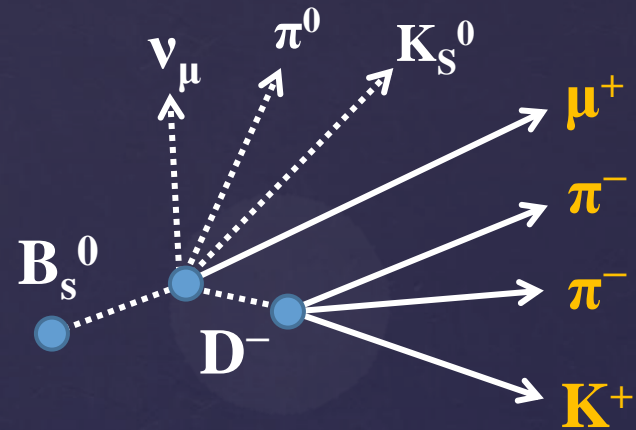
Dilution from non-mixed B mesons

Semi-inclusive event selection: missing neutrino prevents unique identification of $B_{(s)}^0$ mesons;

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- Prompt $c \rightarrow D$
- B^+ decays
- B^0 in B_s^0 channel / B_s^0 in B^0 channel
- b baryons (negligible)

\Rightarrow expect ~15% of $\mu^+ D^-$ events to come from B^\pm , <3% from B_s^0 .



$$\text{Br}(B^0 \rightarrow \mu^+ \nu D^-) = 2.18 \pm 0.12 \%$$

$$\text{Br}(B^+ \rightarrow \mu^+ \nu \pi^+ D^-) = 0.42 \pm 0.05 \%$$

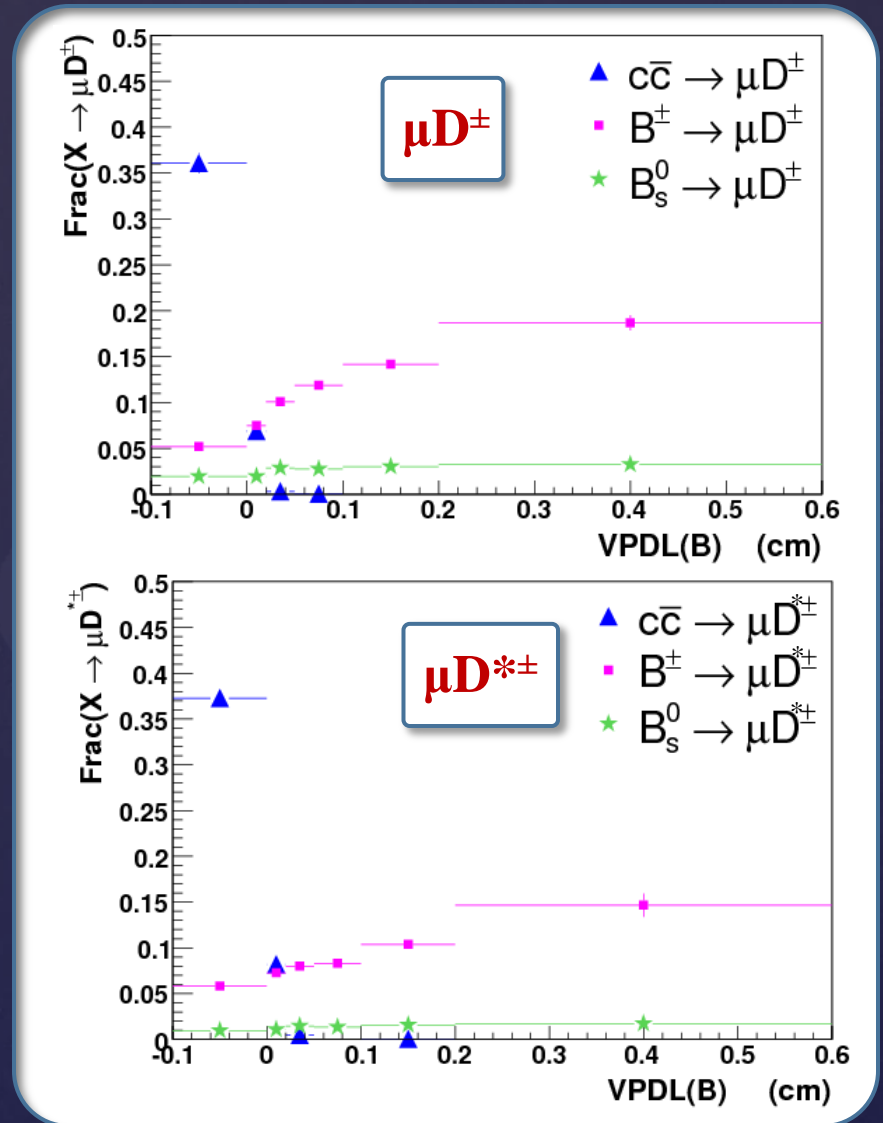
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Dilution from non-mixed B mesons

Inclusive Monte Carlo simulation of
 $\mathbf{X} \rightarrow \mu \mathbf{D}_{(s)}^{(*)}$

(dedicated sample for each channel)

- Prompt $c \rightarrow D$
 Only in first 2 VPDL bins (control region)
- B^+ decays
 Increasing contribution versus VPDL
 (longer-lived than B^0)
- B_s^0 in B^0 channel
 Small and steady contribution



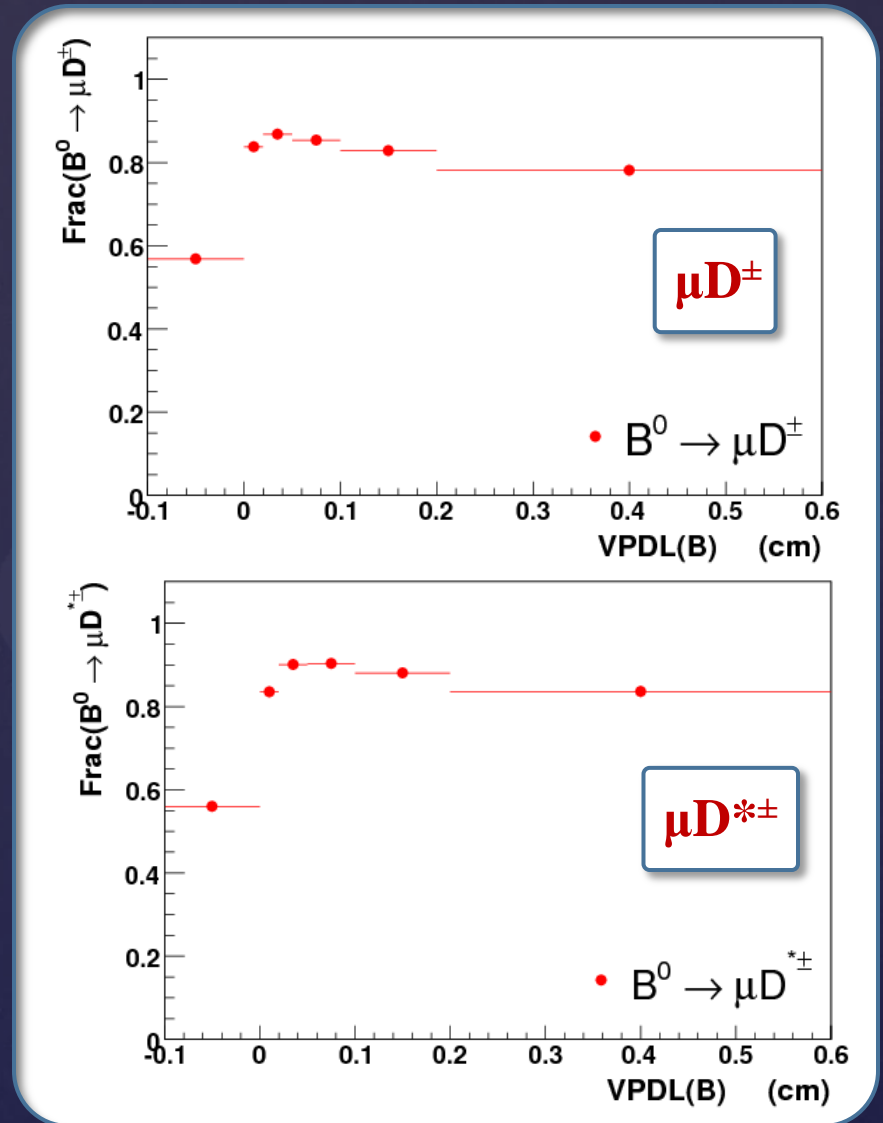
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Only in first 2 VPDL bins (control region)
- B^+ decays
Increasing contribution versus VPDL
(longer-lived than B^0)
- B_s^0 in B^0 channel
Small and steady contribution

>80% of $\mu D^{(*)}$ signal candidates are from B^0 decays



Dilution from non-mixed B mesons

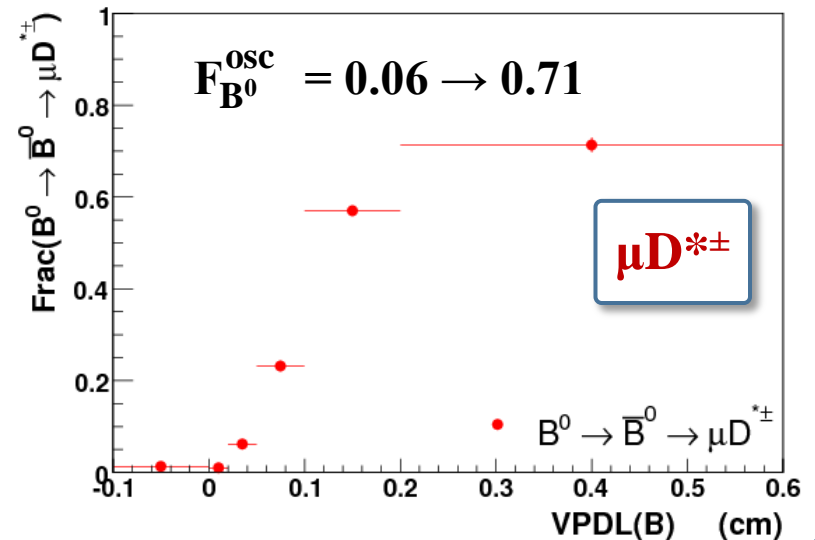
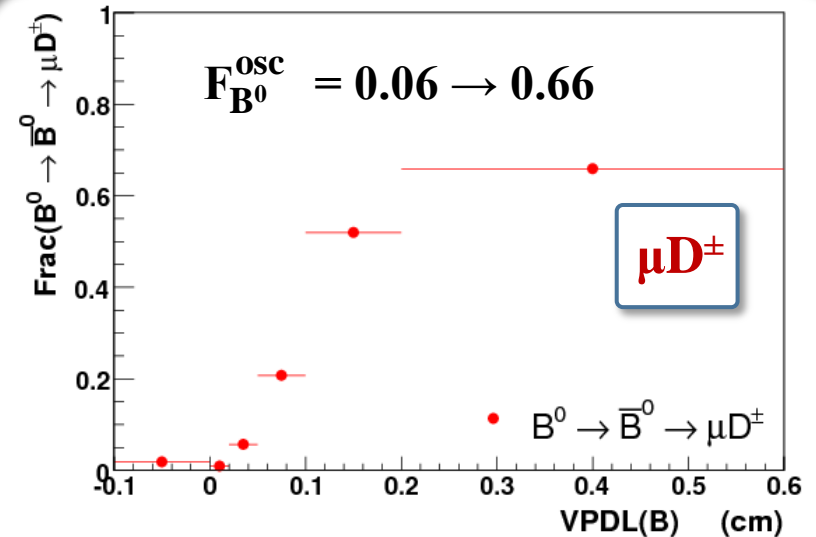
Simulate oscillations by weighting MC events according to their proper decay time:

$$P_i(B^0) = \frac{1}{2}[1 - \cos(\Delta M_d \cdot t_i)]$$

For B_s^0 channel also include (tiny) effect of nonzero $\Delta\Gamma_s$:

$$F_{B_s^0}^{\text{osc}} = 0.465 \pm 0.017$$

Assign systematic uncertainties for limited knowledge of lifetimes, Δm_q , and decay branching ratios.

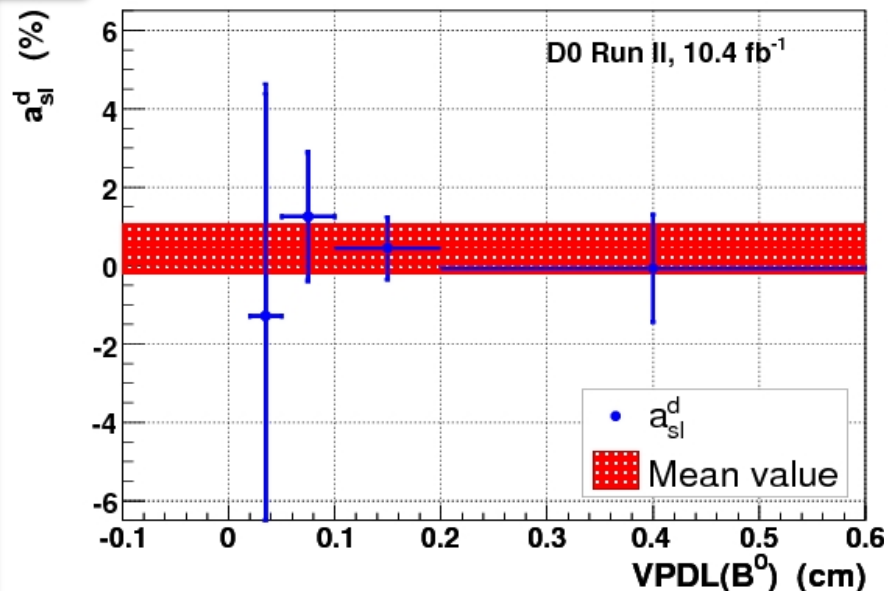


Final Results & Combination

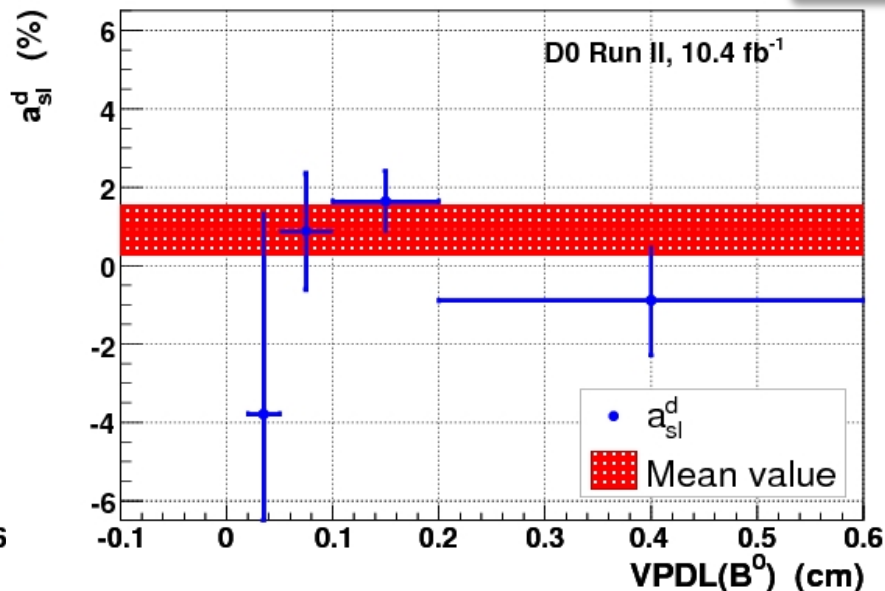
$$\left\{ \begin{array}{l} a_{sl}^q = \frac{A - A_{BG}}{F_{B(s)}^{osc}} \end{array} \right.$$

B^0 mesons: a_{sl}^d versus VPDL

μD^\pm



$\mu D^{*\pm}$



Combine within each channel taking all correlations into account (via pseudo-experiment ensembles):

$$a_{sl}^d(\mu D) = [0.43 \pm 0.63 \text{ (stat.)} \pm 0.16 \text{ (syst.)}] \%$$

$$a_{sl}^d(\mu D^*) = [0.92 \pm 0.62 \text{ (stat.)} \pm 0.16 \text{ (syst.)}] \%$$

Combination and B_s^0 Results

Combine two a_{sl}^d measurements, with correlations accounted for:

$$a_{sl}^d = [0.68 \pm 0.45 \text{ (stat.)} \pm 0.14 \text{ (syst.)}] \%$$

**World's
best!**

- Consistent with SM prediction
- More precise than existing WA from B-factories: $(-0.05 \pm 0.56) \%$

Corresponding time-integrated measurement of a_{sl}^s :

$$a_{sl}^s = [-1.08 \pm 0.72 \text{ (stat)} \pm 0.17 \text{ (syst)}] \%$$

**World's
best! ***

(* : for a few
weeks...)

- Supersedes previous worlds-best measurement (D0, 2009)
- Consistent with results of dimuon asymmetry, and with SM.
- LHCb (preliminary): $a_{sl}^s = (-0.24 \pm 0.54 \pm 0.33) \%$

a_{sl}^d Dependence on VPDL

$F_{B^0}^{\text{osc}}$ is strong function of VPDL

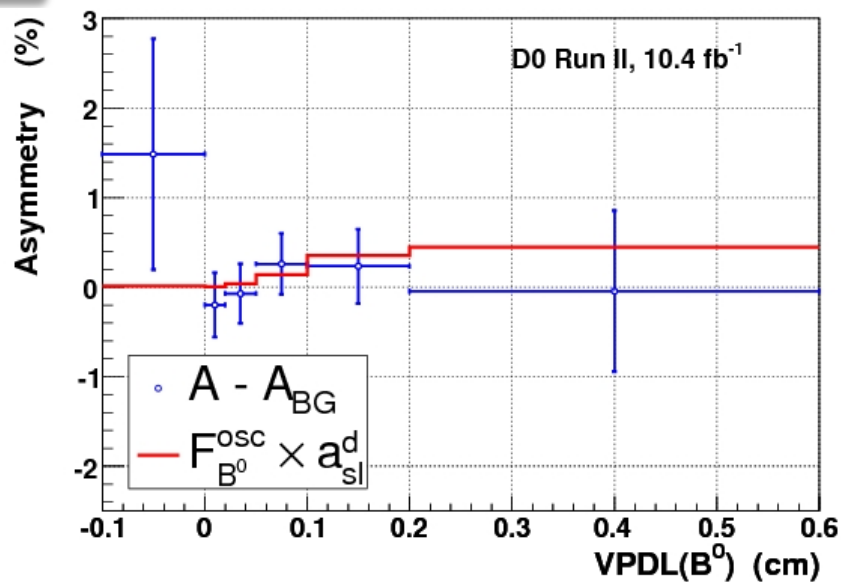
\Rightarrow Any real physical asymmetry from B^0 mixing should be VPDL dependent;

Plot $(A - A_{BG})$ versus VPDL, to look for dependence:

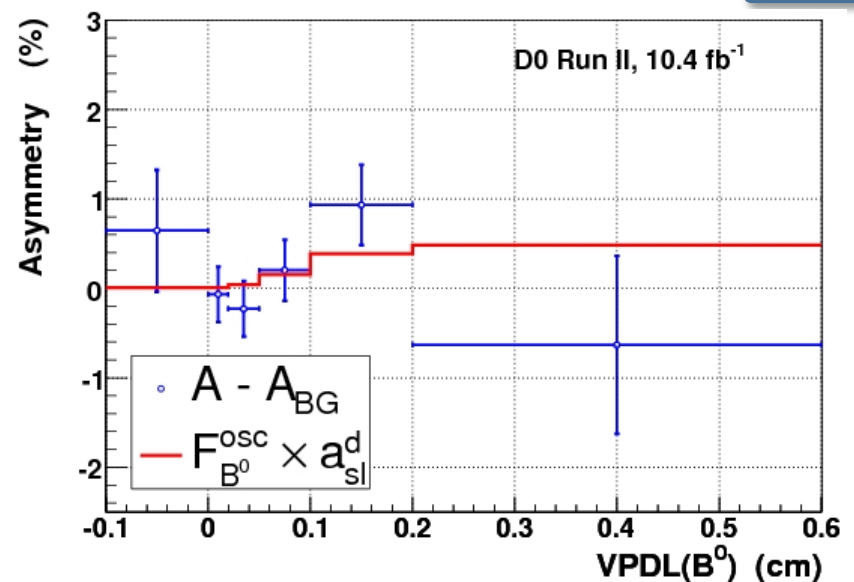
$\chi^2 = 2.3$ (4.5) for a_{sl}^d from this measurement;

2.7 (6.9) for SM value of a_{sl}^d (≈ 0)

μD^\pm



$\mu D^{*\pm}$



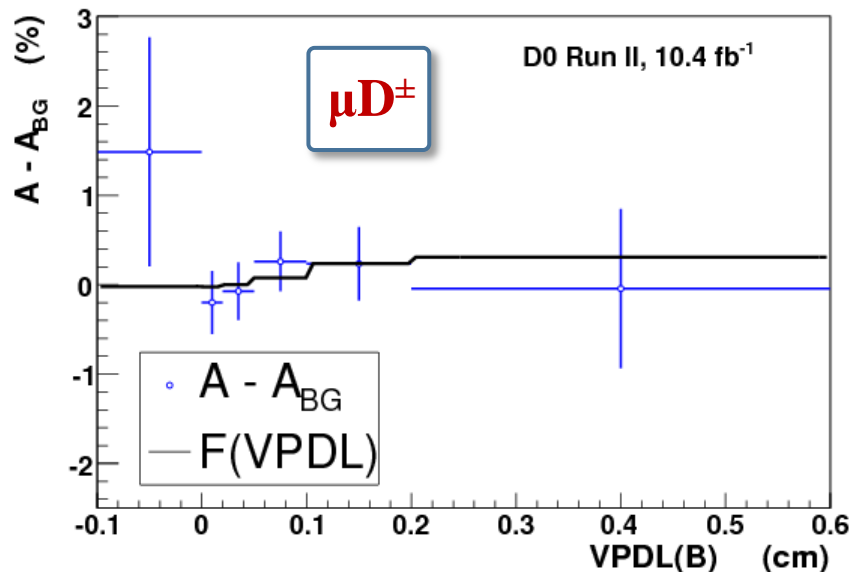
a_{sl}^d Dependence on VPDL

Now fit observed asymmetry ($A - A_{BG}$) to expected VPDL dependence:

$$F(\text{VPDL}) = A_{\text{const}} + F_{B^0}^{\text{osc}}(\text{VPDL}) \cdot a_{sl}^d$$

Constant term: accounts for any possible residual asymmetries not considered.

a_{sl}^d : free parameter – depends only on VPDL *shape* of ($A - A_{BG}$).



From fit:

$$a_{sl}^d = (0.51 \pm 0.86) \%$$

compare $(0.43 \pm 0.65) \%$ from nominal method

$$A_{\text{const}} = (-0.03 \pm 0.23) \%$$

i.e. any residual asymmetries are small and insignificant.

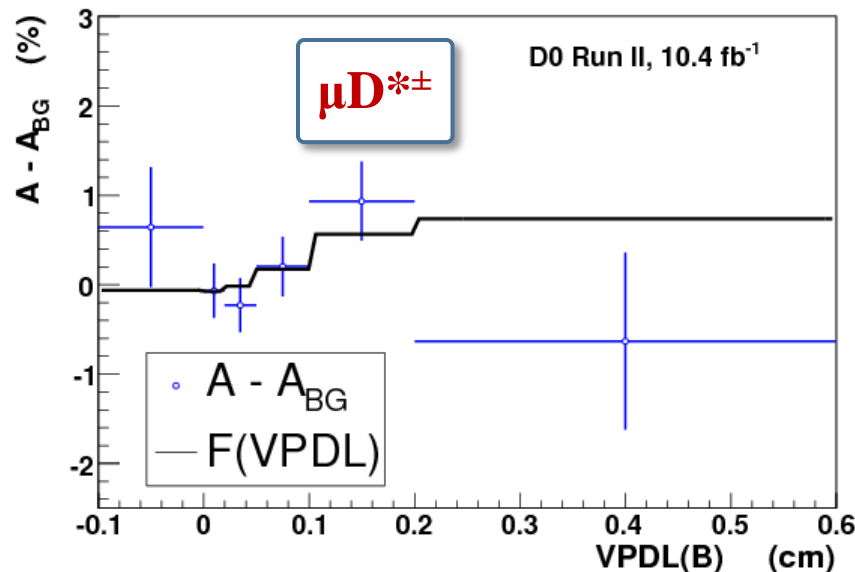
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Constant term: accounts for any possible residual asymmetries not considered.

a_{sl}^d : free parameter – depends only on VPDL *shape* of ($A - A_{BG}$).



From fit:

$$a_{sl}^d = (1.25 \pm 0.87) \%$$

compare $(0.92 \pm 0.65) \%$ from nominal method

$$A_{\text{const}} = (-0.09 \pm 0.21) \%$$

i.e. any residual asymmetries are small and insignificant.

Cross-Checks

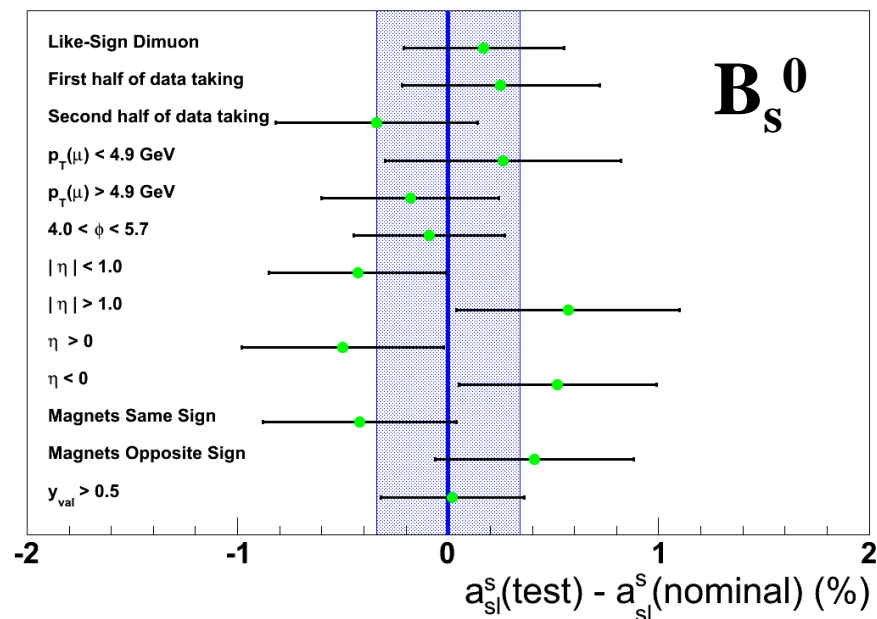
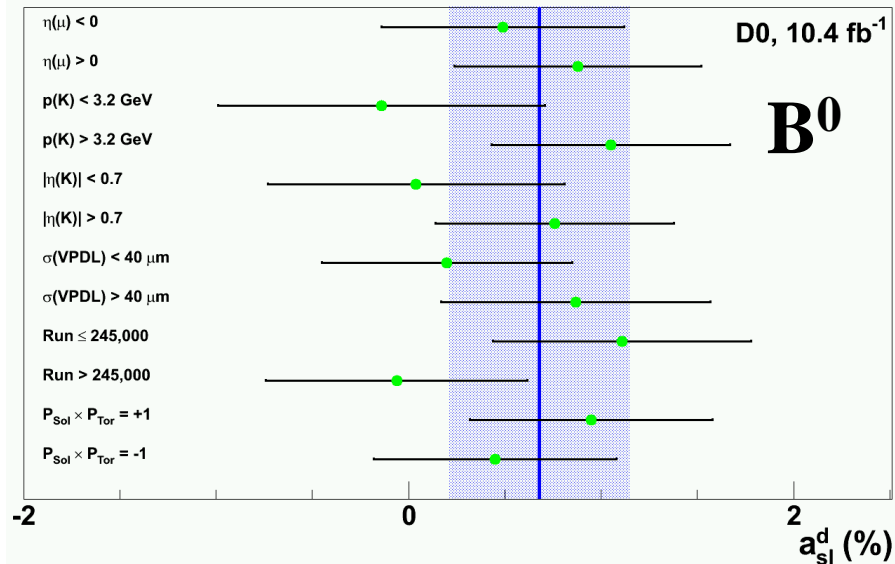
Repeat entire analyses using pairs of orthogonal sub-sets of data, to test stability of results

Split according to:

- Forward/backward
- Forward/central
- Low/high momentum
- early/late runs

Plus repeat with different muon selection, limited ϕ range ...

All measurements consistent with each other and central value



Combination

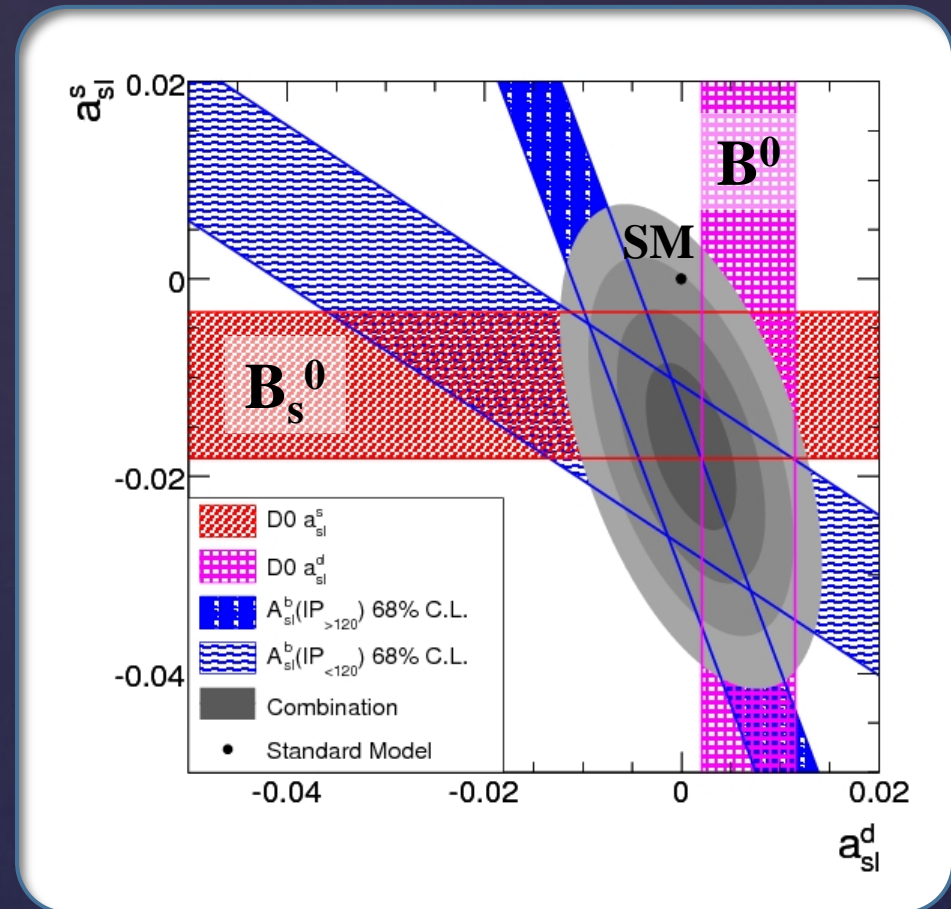
Combine D0 results from dimuon asymmetry (2011), a_{sl}^d and a_{sl}^s :

$$a_{sl}^d(\text{comb.}) = (0.10 \pm 0.30)\%,$$
$$a_{sl}^s(\text{comb.}) = (-1.70 \pm 0.56)\%$$

Correlation coefficient: -0.50

$\chi^2/\text{dof} = 2.9/2$

p-value of SM: **0.36% (2.9σ)**



B^0 meson: consistent with SM (zero)

B_s^0 meson: **$>3\sigma$ evidence** for anomalous CPV, driven by dimuon asymmetry measurements

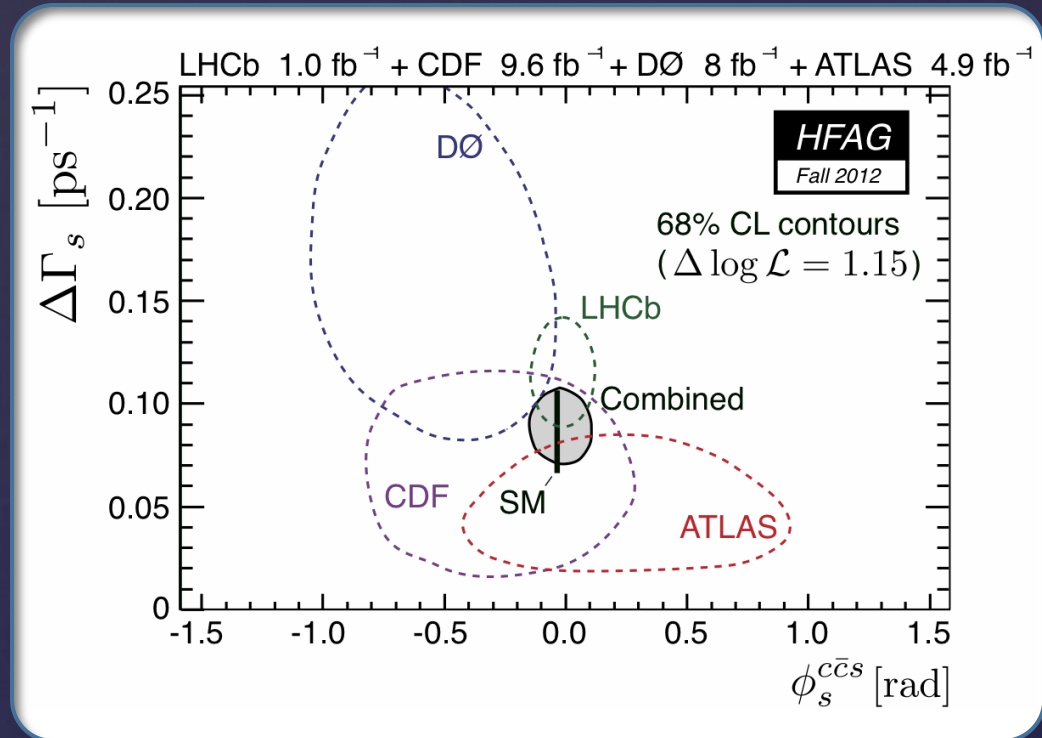
What about $B_s^0 \rightarrow J/\psi \phi$?

Measurements of CP violating phase in $B_s^0 \rightarrow J/\psi \phi$ channel all consistent with SM prediction (D0, CDF, LHCb, Atlas)

This is a test of CPV in the *interference between mixing and decay*

New Physics contributions to this channel *expected* to be similar to those in mixing alone, but still places for CPV to hide.

Need further study of CP violating parameters from as many angles as possible.



Summary

- We present new precise measurements of the semileptonic mixing asymmetry in B^0 and B_s^0 mesons:

$$a_{sl}^d = [0.68 \pm 0.45 \text{ (stat.)} \pm 0.14 \text{ (syst.)}] \%$$

$$a_{sl}^s = [-1.08 \pm 0.72 \text{ (stat)} \pm 0.17 \text{ (syst)}] \%$$

- When combined with dimuon asymmetry result, **3σ evidence of anomalously large CPV in B_s^0 mixing**
- Data-driven methods, using strengths of D0 detector
- Limited input from MC
- Many cross-checks validate measurements

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- Many cross-checks validate measurements

B_s^0 arXiv:1207.1769 [hep-ex]

Submitted to PRL

B^0 arXiv:1208.5813 [hep-ex]

Accepted by PRD

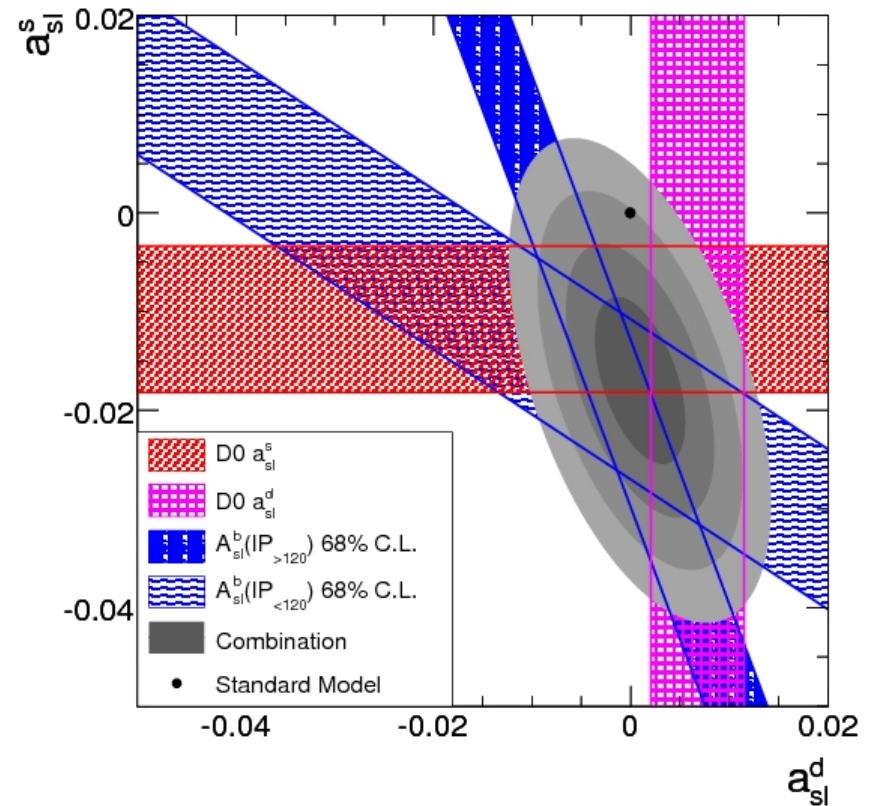
Outlook

New measurements consistent with dimuon asymmetry *and* with SM predictions

Insufficient to resolve tension, but suggestive of CPV in B_s^0 mixing

Need further investigation of semileptonic mixing asymmetries, plus constraints on direct CPV in B and D mesons

Working on updated dimuon asymmetry analysis from D0, with several improvements and extensions



Thanks for listening

Extra Slides

{ Additional combination

Combination (including B-fac a_{sl}^d)

Combine D0 results from dimuon asymmetry (2011), a_{sl}^d and a_{sl}^s , and existing WA of a_{sl}^d from B-factories.

$$a_{sl}^d(\text{comb.}) = (0.07 \pm 0.27)\%,$$

$$a_{sl}^s(\text{comb.}) = (-1.67 \pm 0.54)\%$$

Correlation coefficient: -0.46

$\chi^2/\text{dof} = 2.0/2$

p-value of SM: **0.37%**

$a_{sl}^s(\text{LHCb})$ also shown for comparison
 $(-0.24 \pm 0.63)\%$

